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## Introduction to single-dish observations

- History of radioastronomy
- Radio/mm/submm/FIR sources
- Antennas, Receivers & Backends
- Examples of Real observations



# PART I: A quick walk though history...



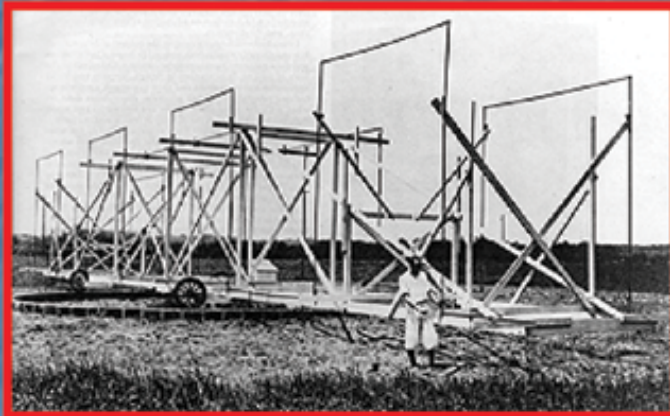
# 1800: First evidence of non-visible light



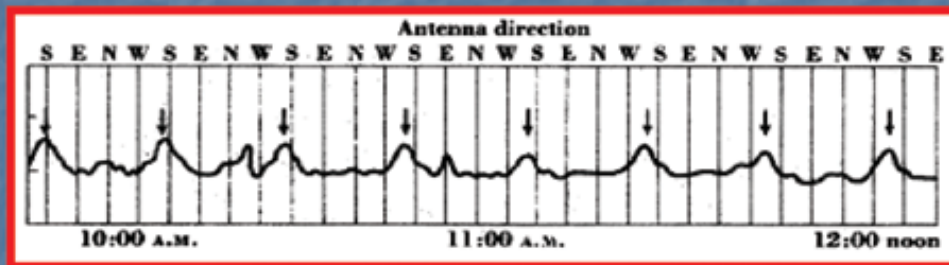
William Herschel noticed that the highest temperature was measured in a portion of the spectrum beyond the red where no sunlight was visible

**INFRARED RADIATION**

# 1931-32: The beginning of Radioastronomy



Bell Labs asks K. Jansky to investigate perturbations of radio voice transmission between USA and Europe. He builds an antenna of 30x4 m that rotates every 20 minutes. He discovers a “steady hiss static of unknown origin”.



# **1933-35 Jansky solves mystery**

**The source of the radiation is established to be in a fixed direction of the sky with the following approximate coordinates:**

**RA: 18h dec: -10 deg**

**(The Galactic Center)**

# The followers: Reber



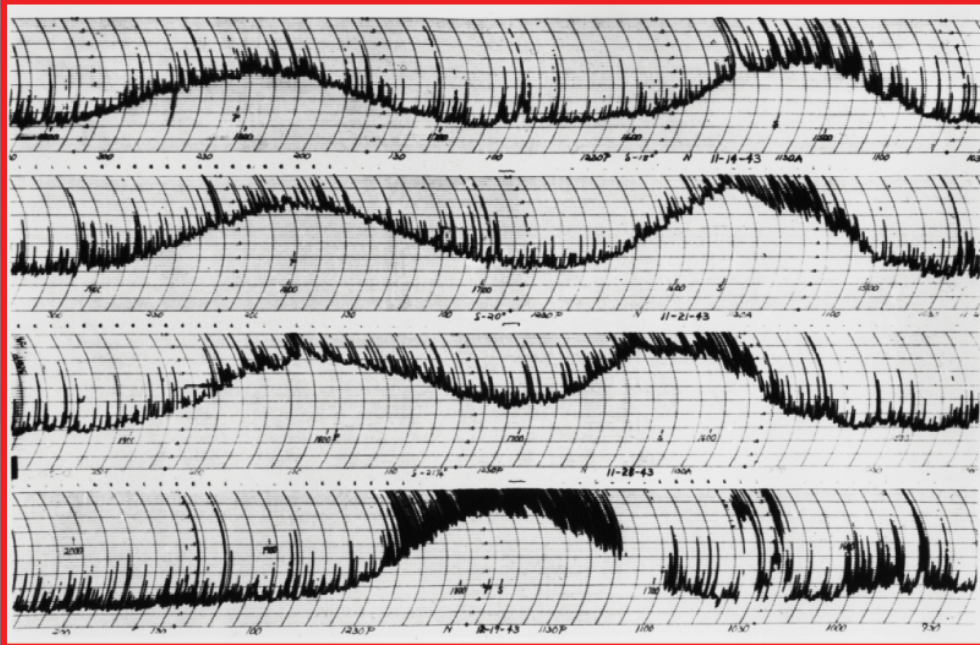
G. Reber was interested in investigating the nature of the signals revealed by Jansky's experiment. He could not get a job to do this due to great depression so he built this radiotelescope in his back yard.

Aprox. 10 m diameter,  
amplification of several million  
on the receiver placed within  
the cylinder at the focus.  
Signals recorded on a chart.

The parabolic design  
concentrates waves of all  
wavelengths to the same focus.



# The first radio map of the Galaxy

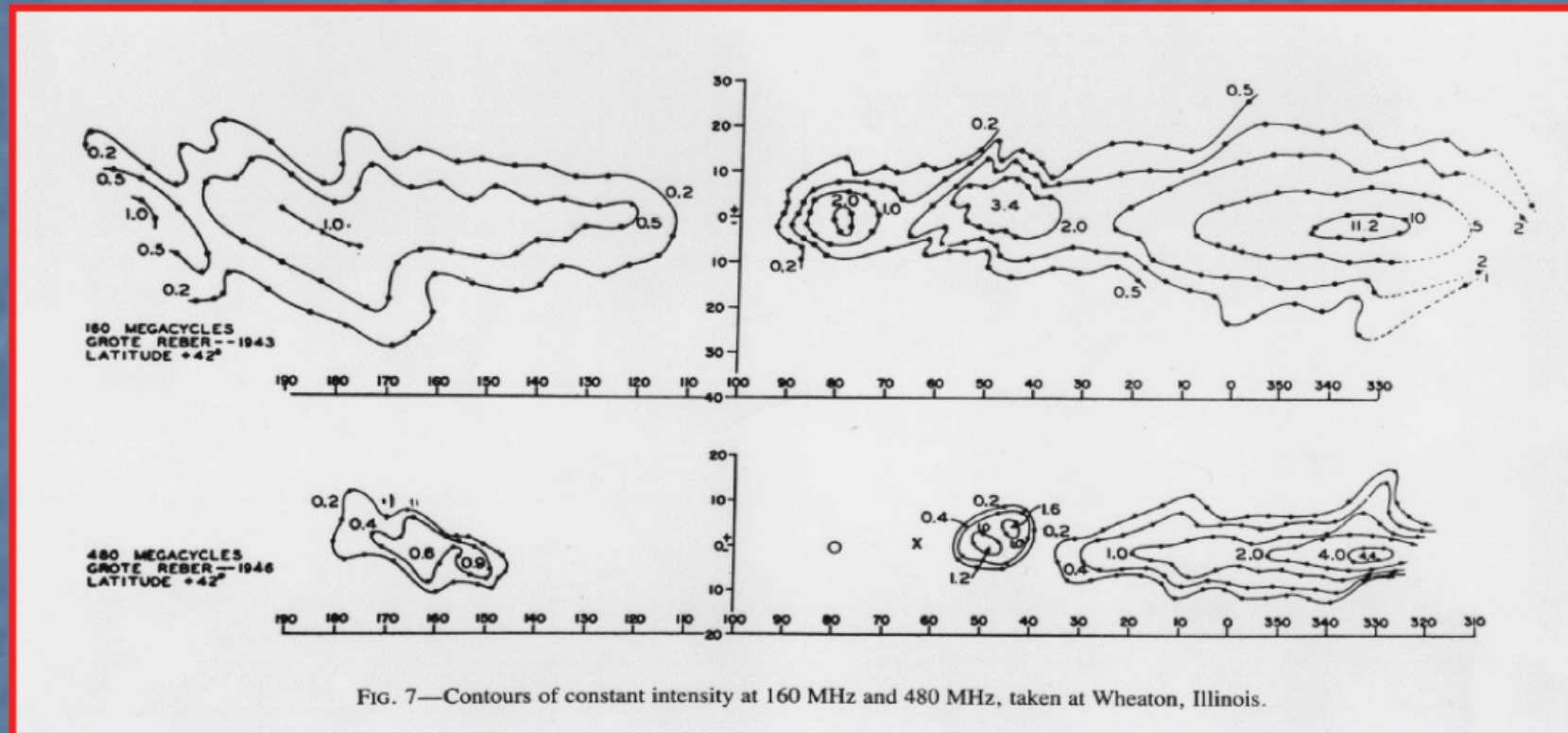


First two receivers (3300 and 900 MHz) failed to detect signals from outer space.

Finally, a third receiver at 160 MHz (1.9 meter wavelength) made detection of the radio emission from the Milky Way and the Sun (broad features on the chart readings). Narrow peaks are due to interference with automobile engine sparks.



# The first radio map of the Galaxy (II)



Reber presented his results in the form of contour diagrams showing that the brightest areas correspond to the Milky Way, specially towards its center. Other bright radio sources such as Cygnus and Cassiopeia were also discovered for the first time.

# MOLECULAR SPECTRA *and* MOLECULAR STRUCTURE

## I. SPECTRA OF DIATOMIC MOLECULES

By

GERHARD HERZBERG, F.R.S.  
*National Research Council of Canada*

With the co-operation, in the first edition, of  
J. W. T. SPINKS, F.R.S.C.

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SECOND EDITION

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**Molecular spectroscopy  
can lead to fundamental  
knowledge of the  
Universe**

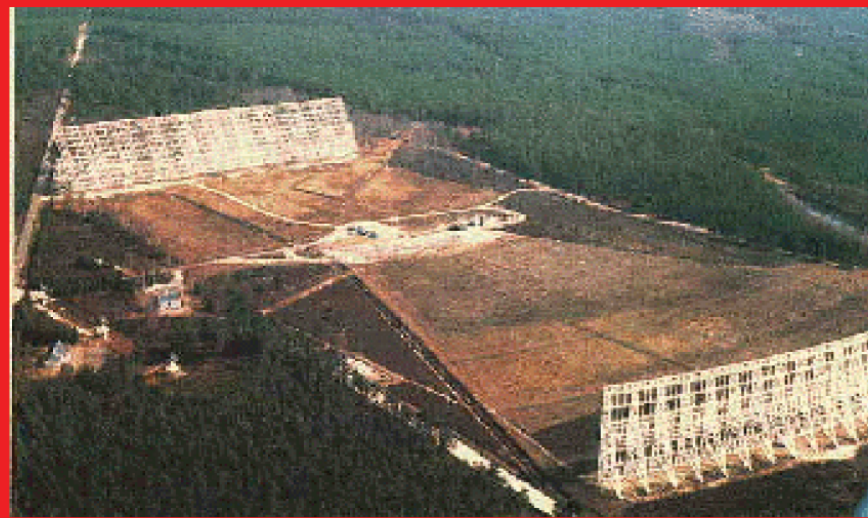
**1950**

The observation that in interstellar space only the very lowest rotational levels of CH, CH<sup>+</sup>, and CN are populated is readily explained by the depopulation of the higher levels by emission of the far infrared rotation spectrum (see p. 43) and by the lack of excitation to these levels by collisions or radiation. The intensity of the rotation spectrum of CN is much smaller than that of CH or CH<sup>+</sup> on account of the smaller dipole moment as well as the smaller frequency [due to the factor  $\nu^4$  in (I, 48)]. That is why lines from the second lowest level ( $K = 1$ ) have been observed for CN. From the intensity ratio of the lines with  $K = 0$  and  $K = 1$  a rotational temperature of 2.3° K follows, which has of course only a very restricted meaning.



**After World War II until the 70's**

**...essentially centimeter wavelengths**

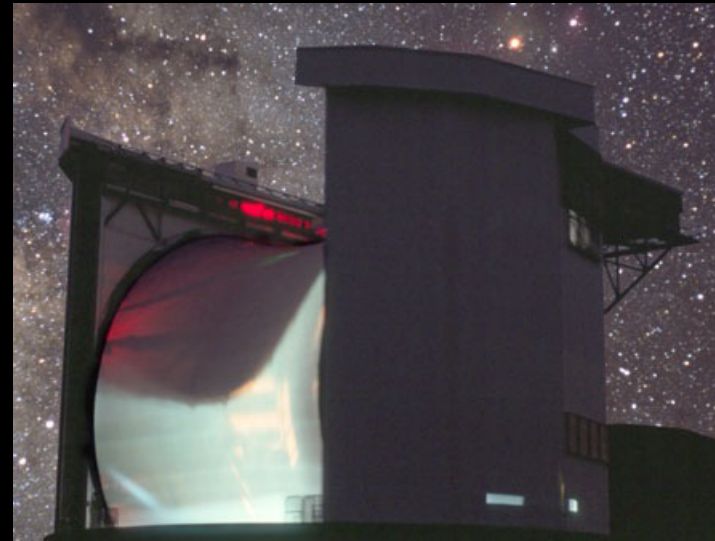


**Nançay**



**Effelsberg**

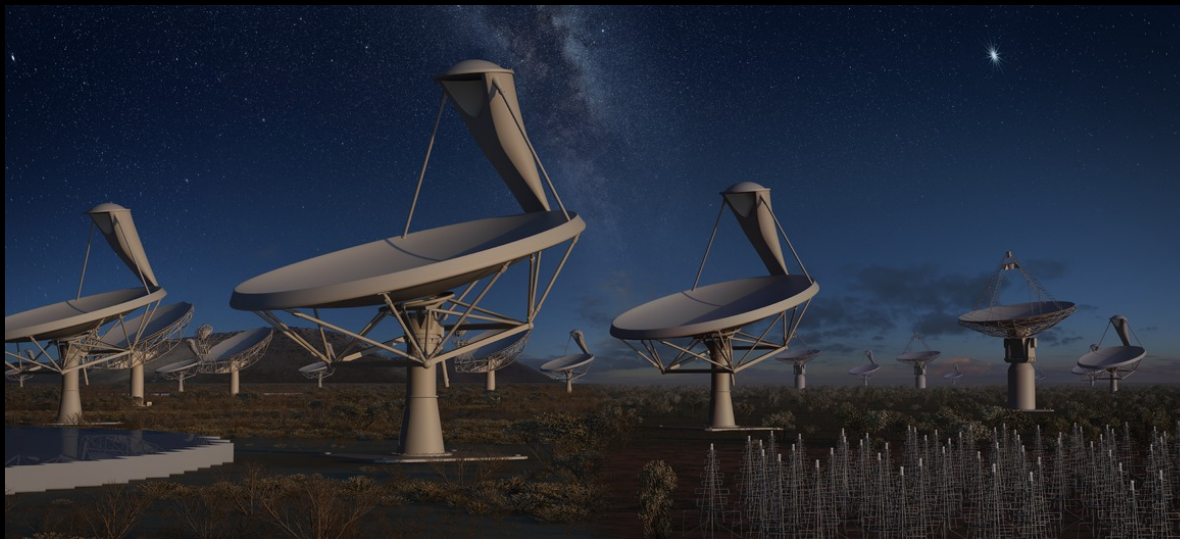
# Present day facilities: millimeter and submillimeter single antenna







**Present day  
facilities:  
mm/submm interferometry  
and IR space telescopes**

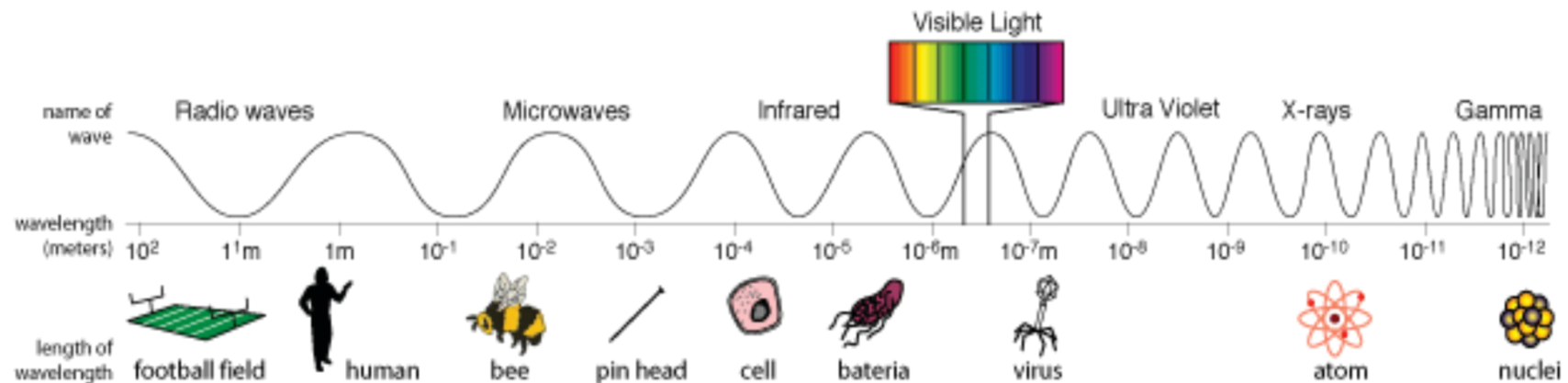




## PART II: Sources of radio/mm/ submm/FIR emission

# Sources of Radio Emission

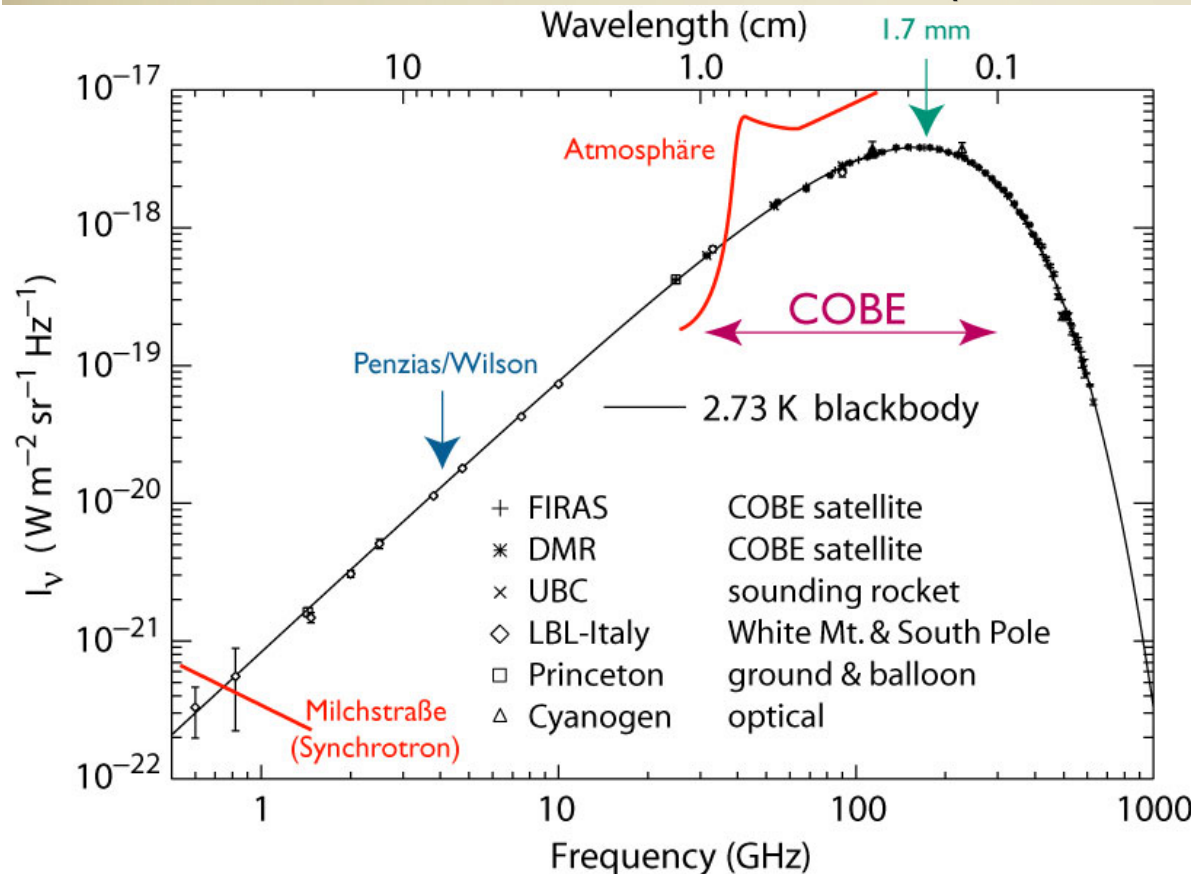
- Blackbody (thermal)
- Continuum sources (non-thermal)
- Spectral line sources



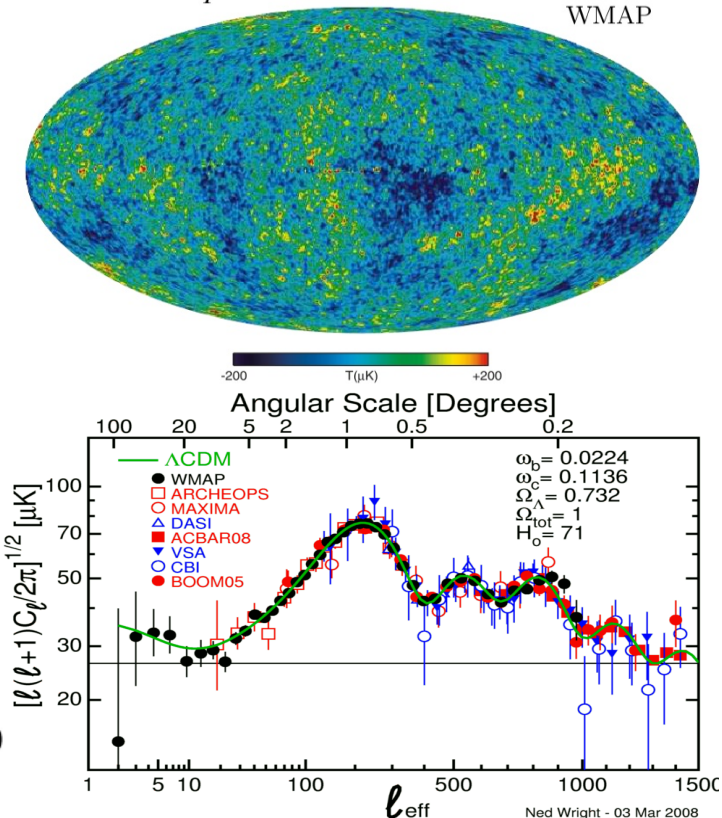
# Blackbody Sources:

The cosmic microwave background, the planets

- Obs in cm requires low temperature:  $\lambda_m T = 0.2898 \text{ cm K}$
- Flux = const  $\times \nu^\alpha \times T$
- For thermal sources  $\alpha$  is  $\sim 2$  (flatter for less opaque sources)



$$T = 2.725^\circ\text{K}, \quad \frac{\delta T}{T} \sim 10^{-5}$$

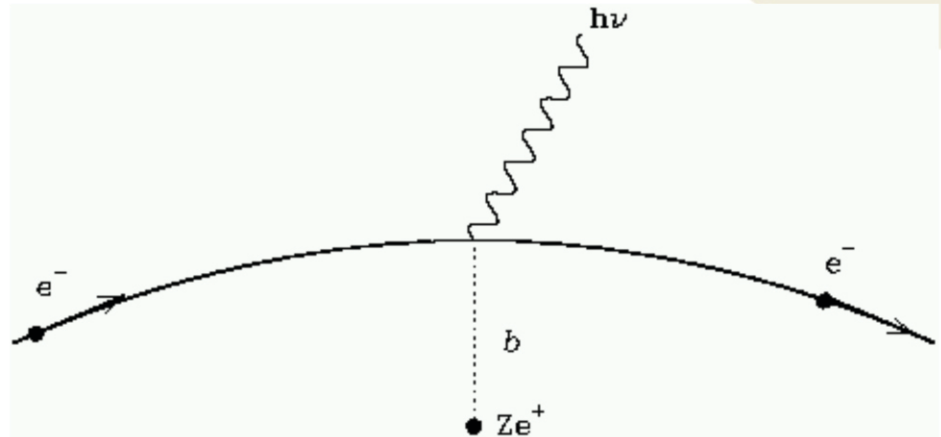


# Continuum (non-thermal) Emission:

Emission at all radio wavelengths

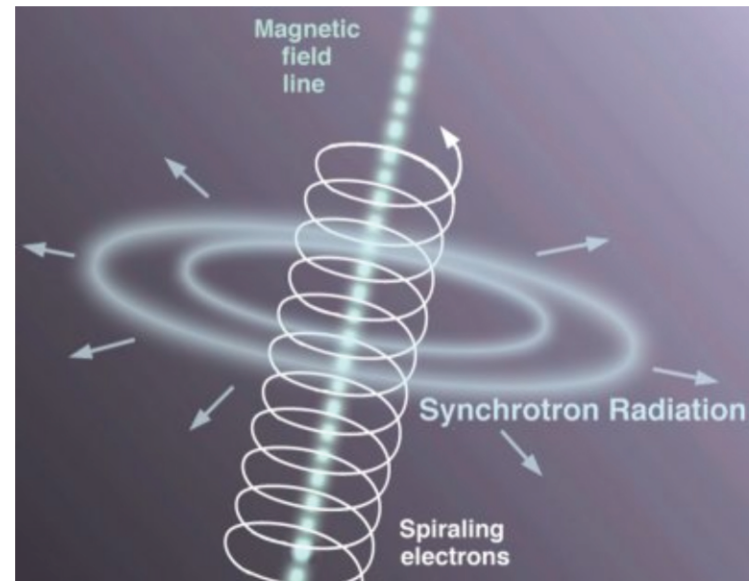
Bremsstrahlung (free-free):

Electron is accelerated as it passes a charged particle thereby emitting a photon



Synchrotron:

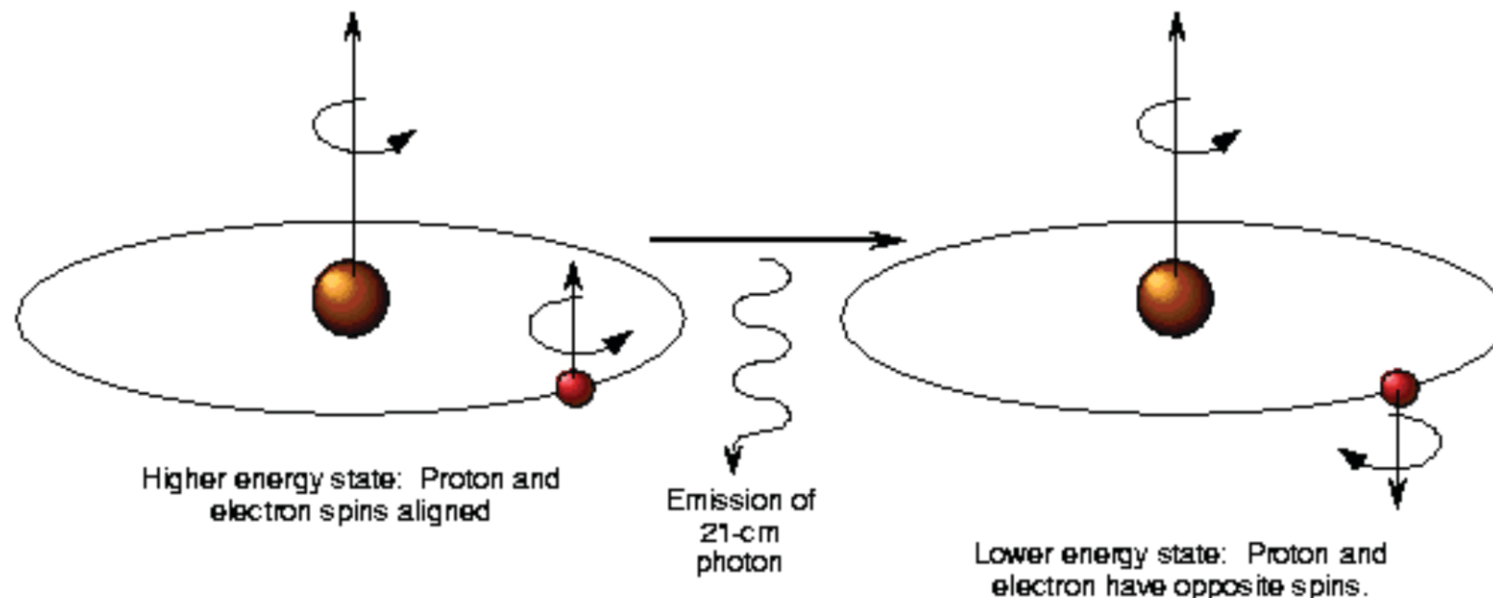
A charged particle moving in a magnetic field experiences acceleration and emits a photon



# Radio Emission Lines

- Neutral hydrogen (HI) spin-flip transition
- Recombination lines (between high-lying atomic states)
- Molecular lines (CO, OH, etc.)

Formation of the 21-cm Line of Neutral Hydrogen





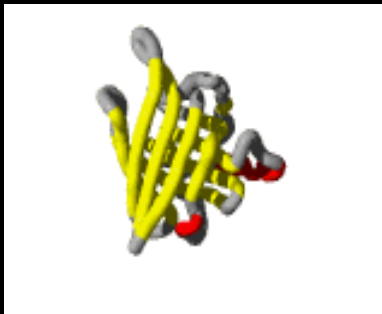
# Spectroscopic lines

Energy, Frequency ( $E=h\nu$ )

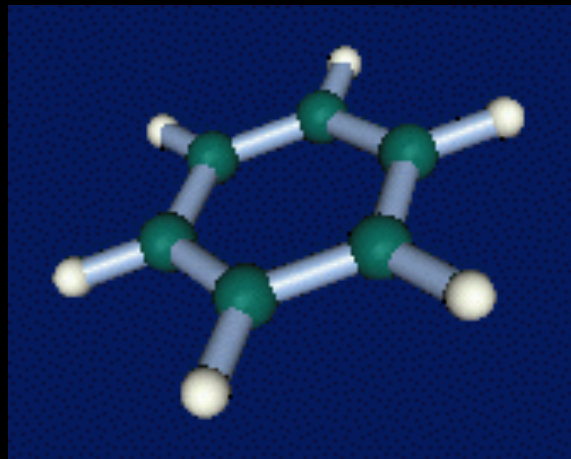
wavelength ( $\lambda=c/\nu$ )

## 3 Basic types of transitions

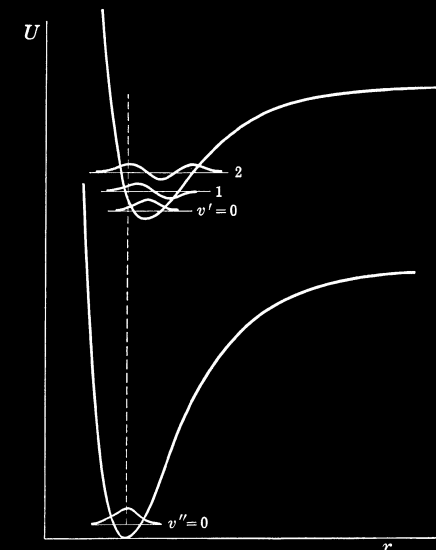
Rotational



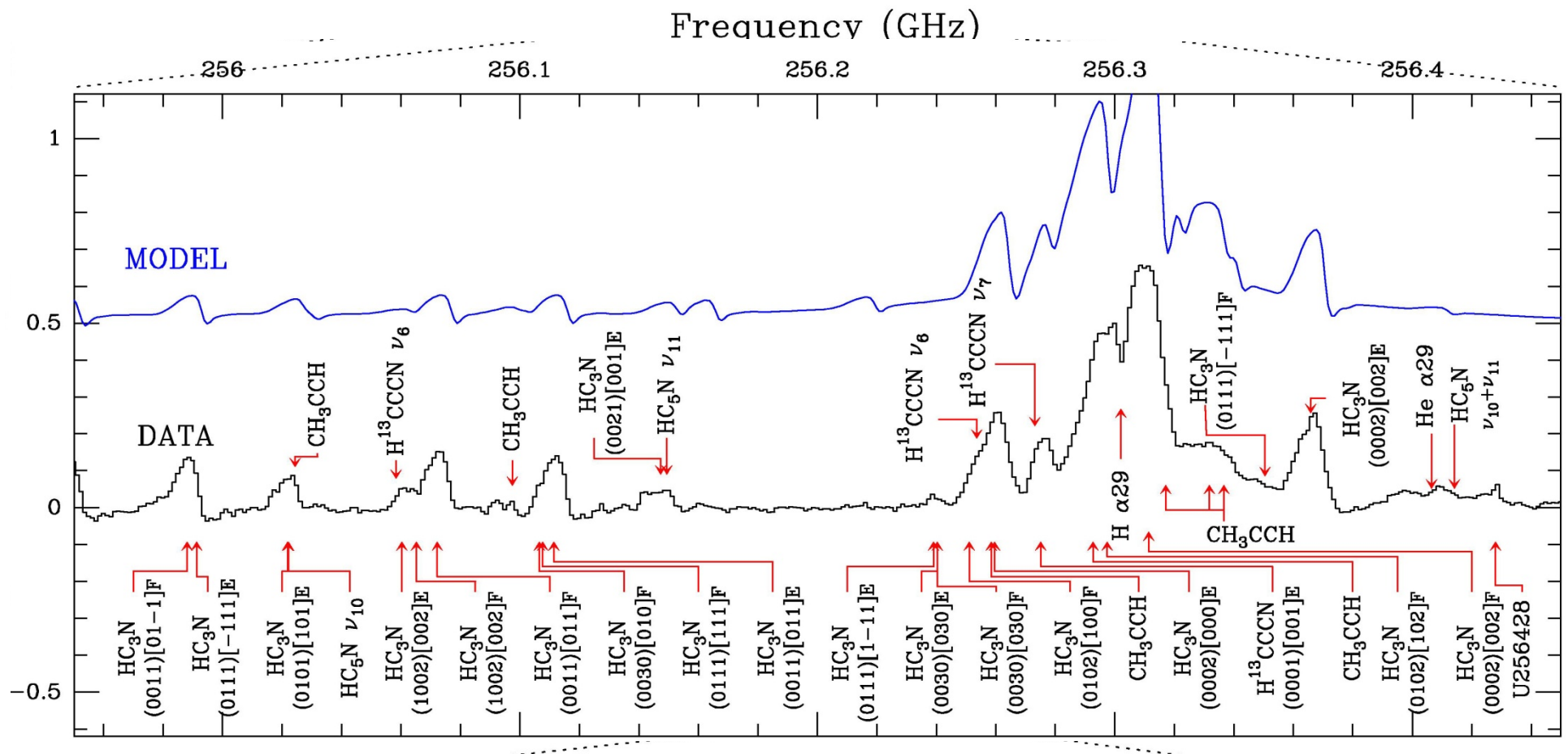
Vibrational



Electronic



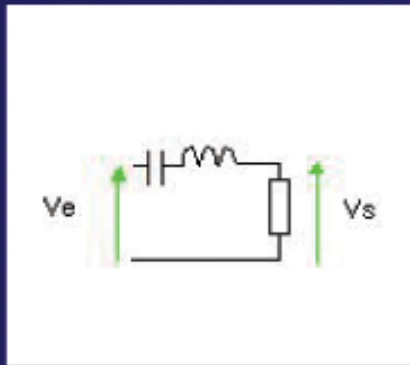
# Rotational and ro-vibrational lines



# PART III: Antennas, receivers and backends

# Antennas: A simple model

An antenna is a RLC (resistance-inductance-condensator) circuit to which a voltage is applied to transmit a signal.



R : Ohmic Losses  
L : Self-inductance  
C : charge accumulation

**Free Regime :**

$$\frac{d^2 U}{dt^2} + \frac{R}{L} \frac{dU}{dt} + \frac{U}{LC} = 0$$

Analysis in harmonic modes:  $U = U_0 e^{j\omega t}$

$$-\omega^2 + j\omega R/L + 1/LC = 0$$

**Condition of signal propagation :**

$$\frac{R^2}{L^2} - \frac{4}{LC} < 0$$



**Cutoff frequency**

$$\omega^2 = \frac{1}{LC} - \frac{R^2}{4L^2}$$

$R=0$  (no energy dissipation)

$R > 2(L/C)^{1/2}$  (no wave propagation)

# The Reciprocity Theorem

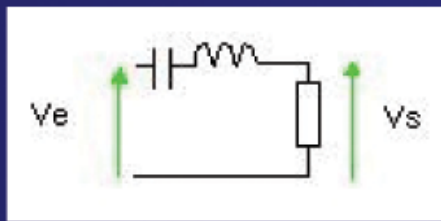
From Maxwell equations it is easy to demonstrate that if we have two antennas (1 and 2), if  $I_1$  and  $I_2$  are the total currents in antennas 1 and 2 respectively and  $U_2$  is the total voltage induced by antenna 2 in antenna 1 and  $U_1$  the total voltage induced by antenna 1 in antenna 2, then:

$$U_2 I_1 = U_1 I_2$$

From this it follows that it is always possible to formulate the properties of an antenna either as an emitter or as a receiver, without distinguishing between the two.



Noise: It is related to the power dissipated in a device due to the thermal agitation at temperature T



$$\langle i \rangle = 0$$

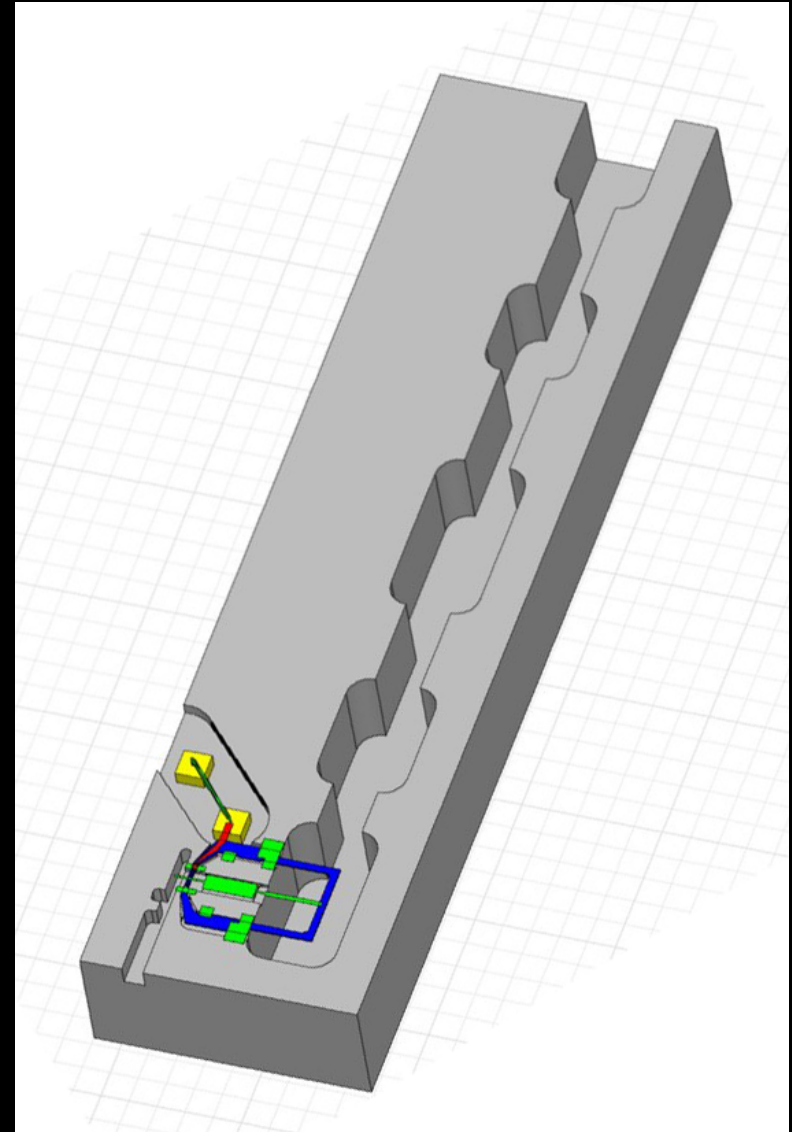
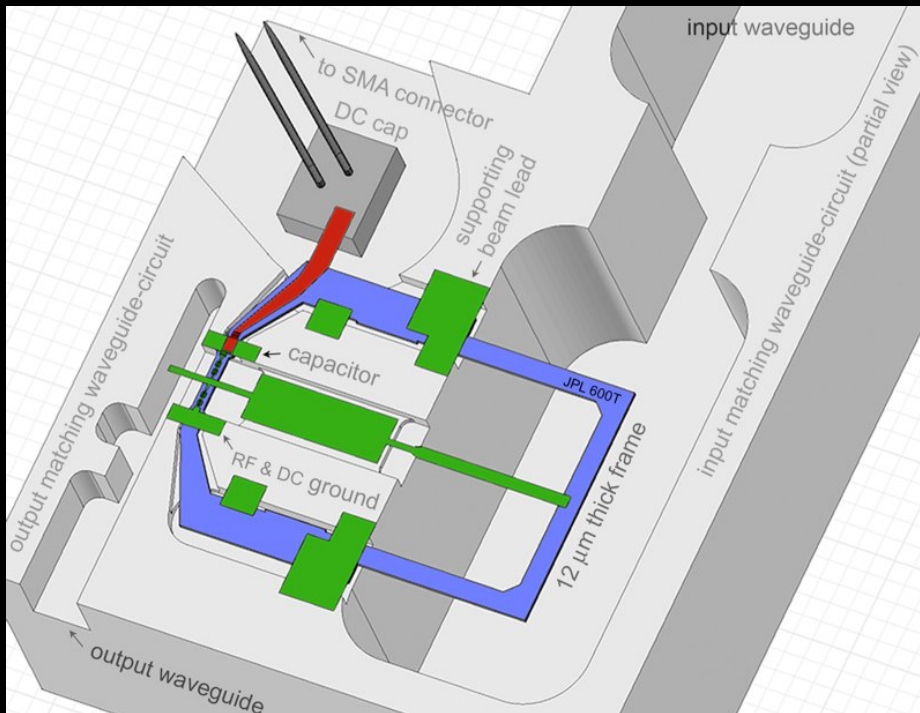
$$\langle i^2 \rangle \neq 0 \text{ (e- thermal motion)}$$

The power available in the resistance for dissipation is  $\frac{1}{2} kT$ .  
The larger the frequency range in which the dissipation takes place, the smaller the noise per unit frequency.

**Nyquist (sampling theorem):** Noise can be cancelled out if samples are taken and added frequently.

# Antennas in practice

A radio telescope works as a collector. The radiation is focused into a feed horn in the focal plane. Inside there is a small device that is the real antenna. This element receives the guided wave and generates an output voltage.



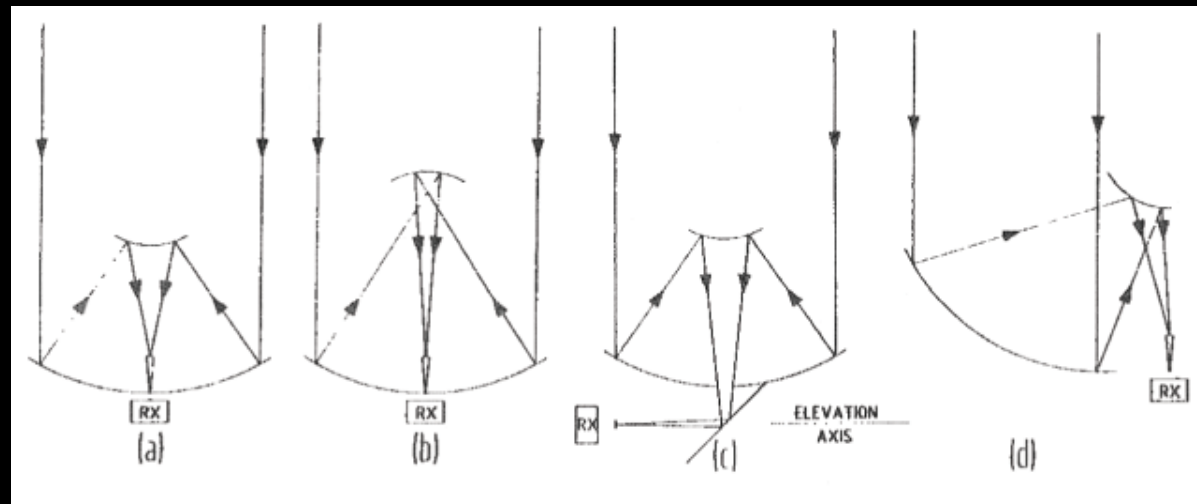
# Antennas in practice (II)

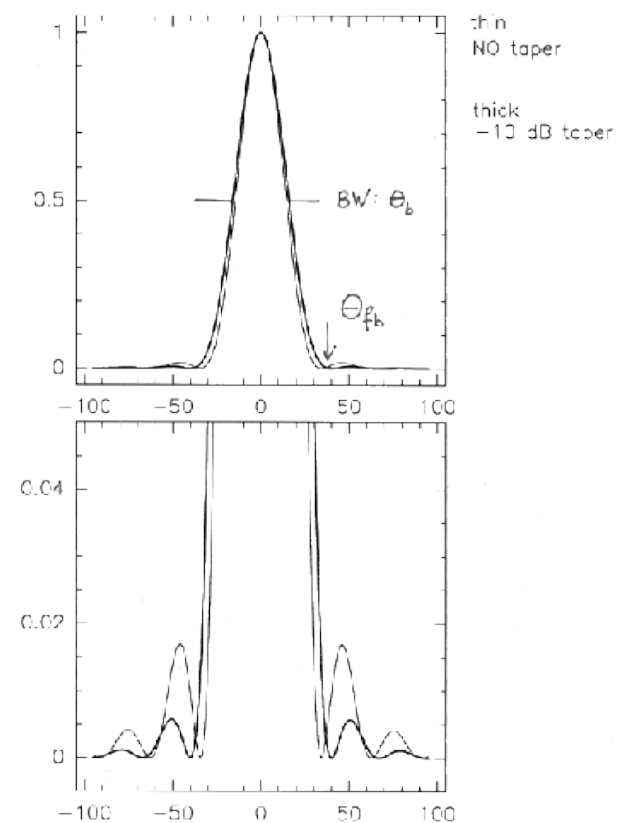
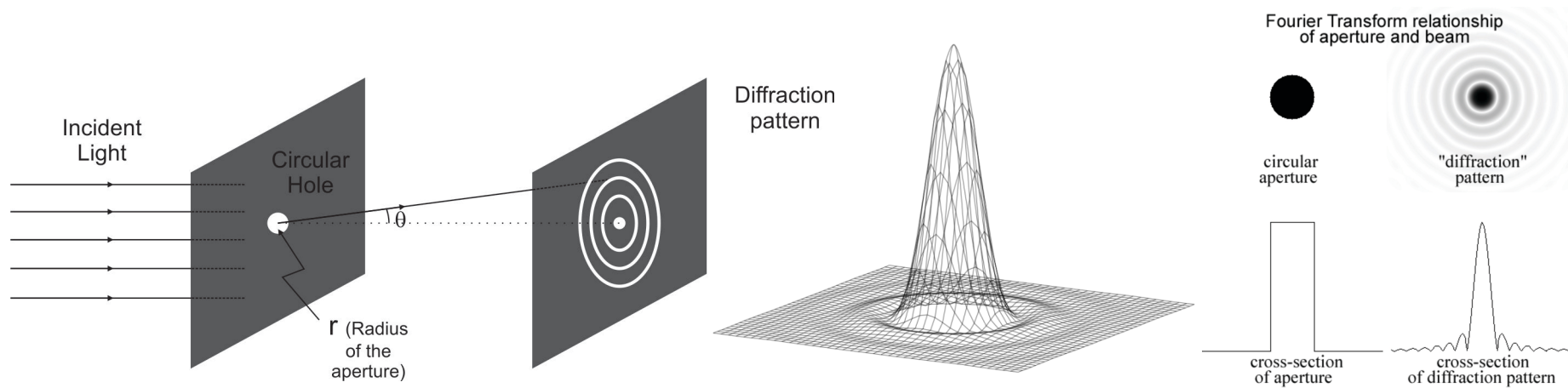
The reflector provides directivity and efficiency. These properties are mathematically contained in the beam pattern (the response of the antenna as a function of direction). By the reciprocity theorem, it is the same as a emitter or as a receiver.



## Types of reflectors

- (a) Cassegrain
- (b) Gregory
- (c) Nasmyth
- (d) Offset Cassegrain



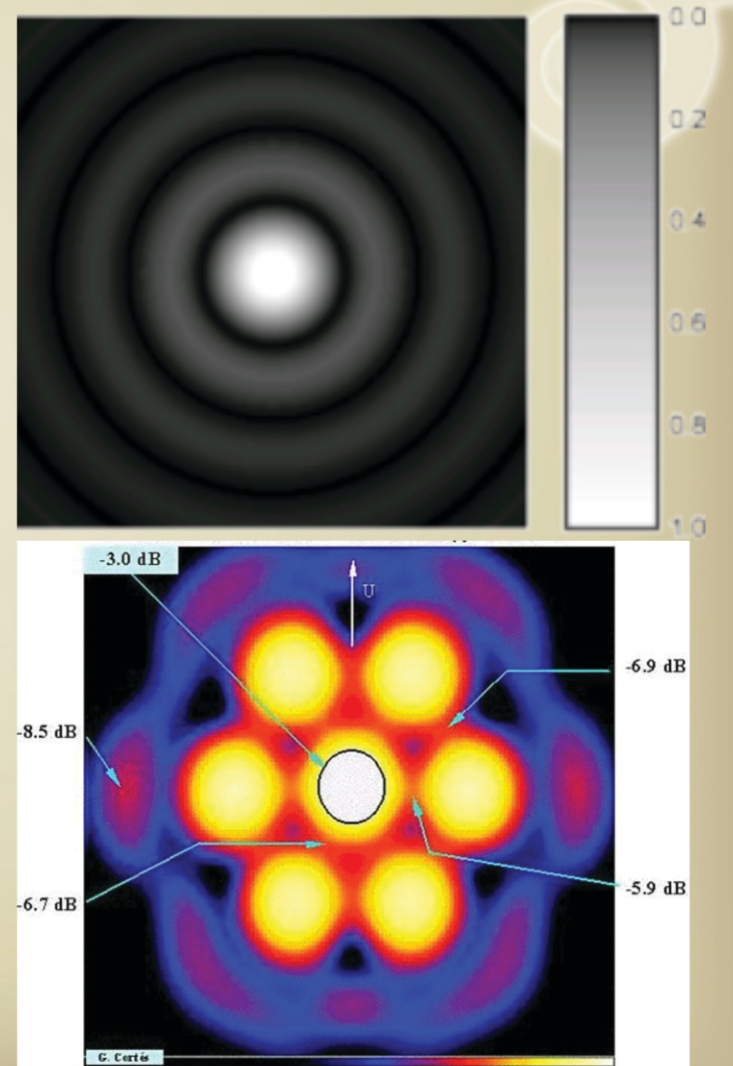




# Radio Telescope Characteristics

## beam and sidelobes

- Diffraction pattern of telescope  
 $\sin\theta = 1.22 (\lambda/D)$
- Diffraction pattern indicates sensitivity to sources on the sky
- Uniformly illuminated circular aperture: central beam & sidelobe rings
- FWHM of central beam is called the *beamwidth*
- Note that you are sensitive to sources away from beam center



# The Beam Pattern

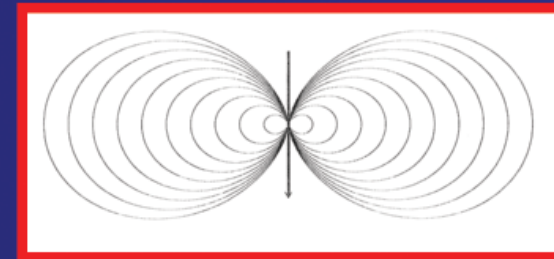
- The case of the Hertz dipole:

at a distance  $r$  from the dipole, the radiated flux is (in the far-field)

$$|\langle \mathbf{S} \rangle| = |\operatorname{Re}(\mathbf{E} \times \mathbf{H}^*)| = \sqrt{\frac{\mu_0}{\epsilon_0}} \left( \frac{I \Delta l}{2 \lambda} \right)^2 \frac{\sin^2 \vartheta}{r^2}$$

The **power pattern** can be written as :  $P(\vartheta, \varphi) = P_0 \sin^2 \vartheta$

*obviously anisotropic and axisymmetric !*

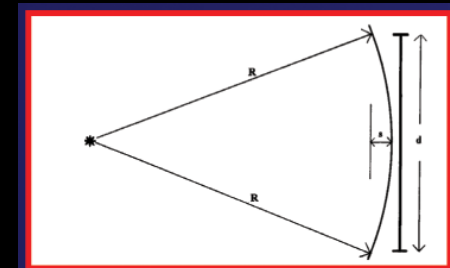


**Normalized Power Pattern:**  $P_n(\vartheta, \varphi) = P(\vartheta, \varphi) / P_{\max}$

- In real antennas the beam pattern has to be measured:

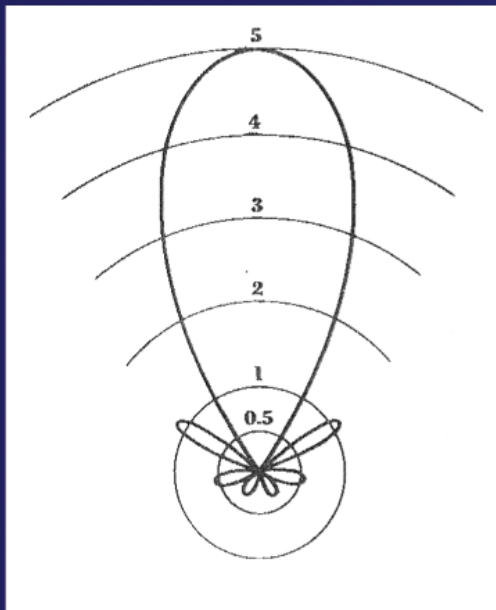
For that task in cm and mm wavelengths we use a radiosource of small diameter. An artificial source can also be used but it must be the far-field limit. For this the phase difference between the vertex and the edge of the reflector must be much less than  $\pi$ : This implies

$$R \gg D^2/4\lambda$$





# Typical Astronomical Antenna Beam Pattern



**Axisymmetrical pattern**

**Main lobe** (largest maximum)

**smaller (minor) lobes : back and front**

# Gain and Efficiency

- Instead of dealing with Power distribution, one introduces the Gain distribution  $G(\Theta, \Phi)$

$$P(\Theta, \Phi) = P \cdot G(\Theta, \Phi)$$

$$\int P(\Theta, \Phi) d\Omega = 4\pi P$$

## Hertz Dipole :

$$P(\Theta, \Phi) = P_0 \sin^2 \Theta \text{ and } P_n(\Theta, \Phi) = \sin^2 \Theta$$

$$\rightarrow G(\Theta) = 3/2 \sin^2 \Theta$$

## Antenna Beam Solid Angle

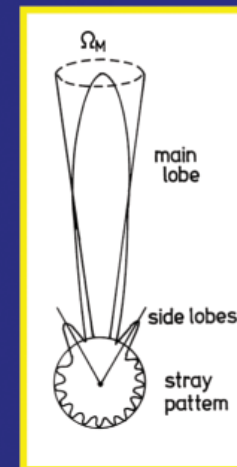
$$\Omega_A = \int_{4\pi} P_n(\Theta, \Phi) d\Omega = \int_0^\pi \int_{-\pi/2}^{\pi/2} P_n(\Theta, \Phi) \sin \Theta d\Theta d\Phi$$

Solid angle of antenna with  $P_n = 1$  inside  $\Omega_A$   
 $= 0$  elsewhere

## Main-beam solid angle

The main region is the region where  $P_n(\Omega) > 0.5$

$$\Omega_{mb} = \int_{\text{Main Beam}} P_n(\Theta, \Phi) d\Omega$$



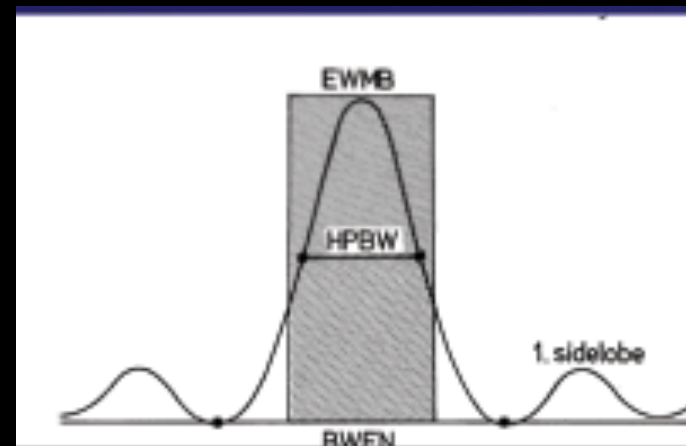
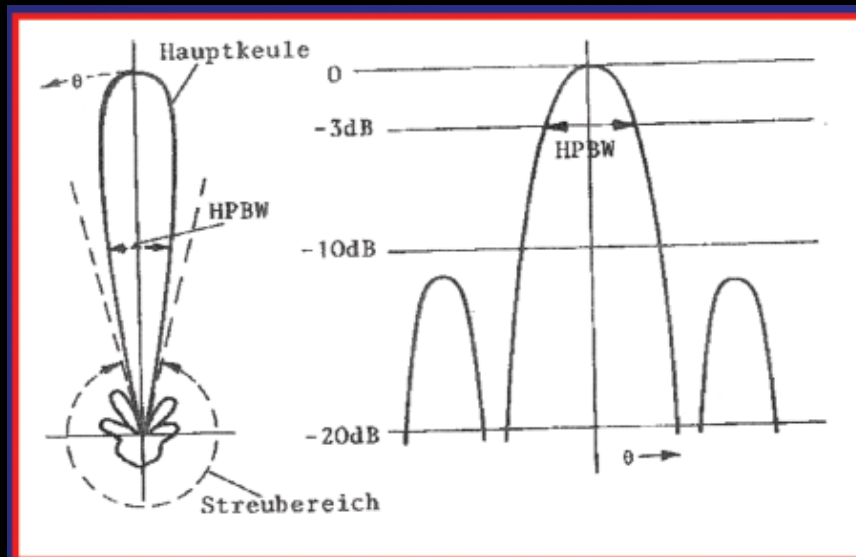
# Gain and Efficiency (II)

## Main Beam Efficiency

$$B_{\text{eff}} = \frac{\Omega_{\text{MB}}}{\Omega_{\text{A}}}$$

It is desirable that the beam pattern is concentrated on the main beam as much as possible. The closer  $B_{\text{eff}}$  to 1, the better.

## Half power beam width



# Aperture efficiency

$P_c$  = amount of power collected by an antenna illuminated by a plane wave with power density  $|\mathbf{S}|$ .

**Effective aperture  $A_e$** : equivalent surface detecting  $P_c$

**In practice,  $A_e \neq$  geometrical surface of the antenna  $= A_g = \pi D^2/4$**

## Aperture Efficiency

$$\eta_A = \frac{A_e}{A_g}$$

The effective aperture efficiency usually depends on the relative orientation of the antenna and the illuminating radiation. The effective aperture efficiency and the antenna beam solid angle are related via :

$$A_e \cdot \Omega_A = \lambda^2$$

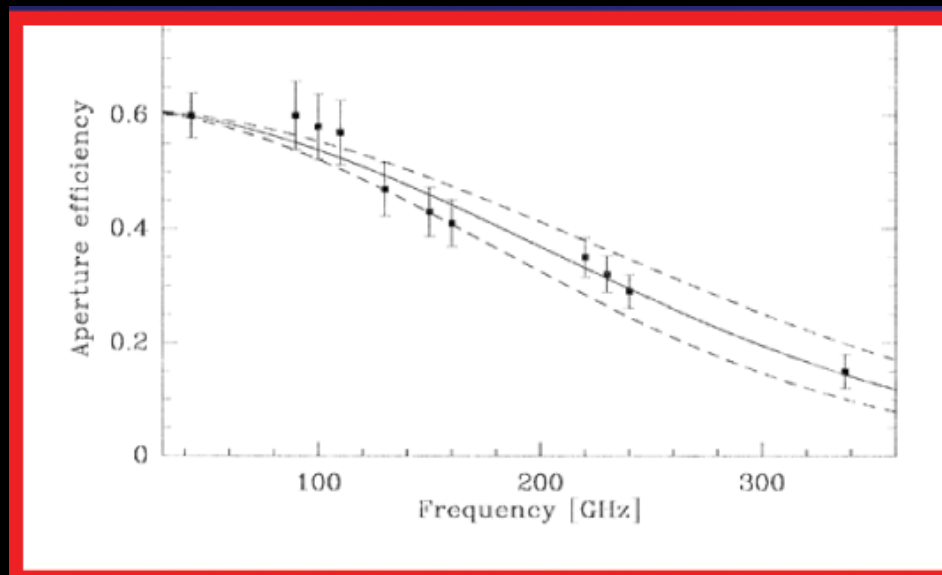
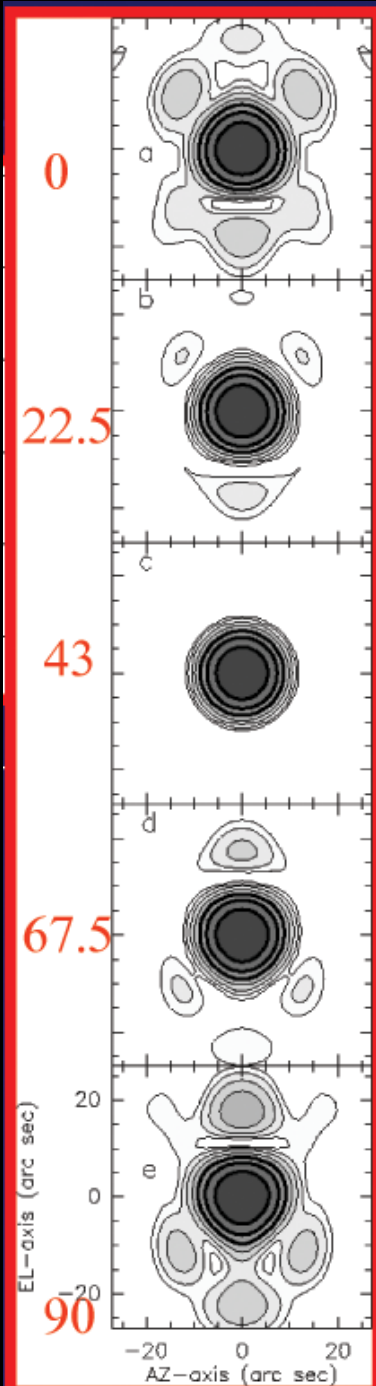
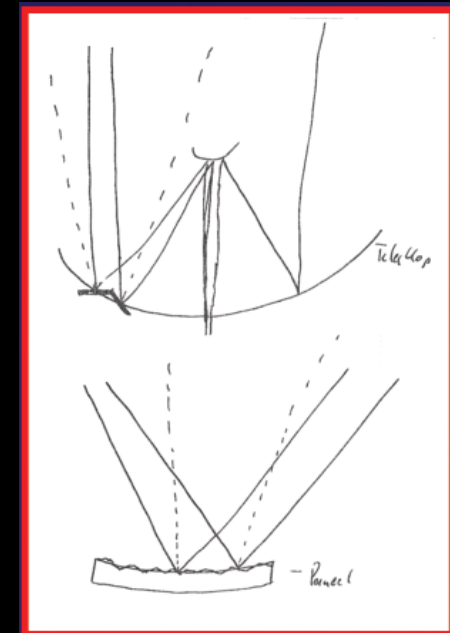
**ANTENNA TEMPERATURE:** Is a measure of the power absorbed by the antenna:

$$T_A = \frac{\eta_R}{\Omega_A} \iint \frac{\lambda^2}{2k} B(\Theta, \Phi) \cdot P_n(\Theta_0 - \Theta, \Phi_0 - \Phi) d\Omega$$

In an ideal, loss-free radio telescope, the antenna temperature is equal to the brightness temperature if the intensity of the received radiation is constant within the lobe. Temperatures are used in radioastronomy to express power because of the validity of the Rayleigh-Jeans approximation.

# Telescope deformations and beam pattern

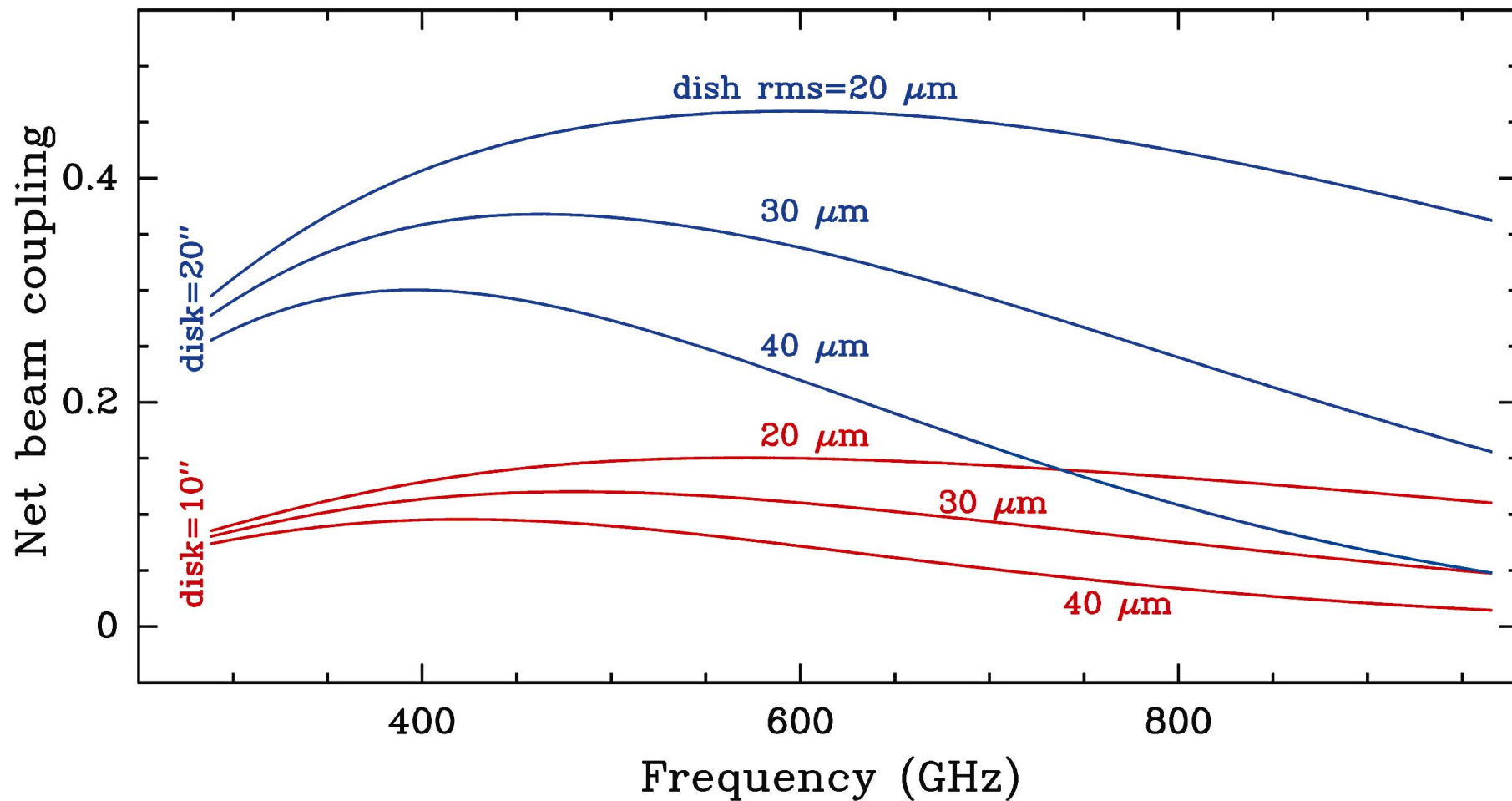
## Surface imperfections → (Error beam)



Aperture efficiency  
varies as:

$$\eta_A = \eta_{A0} \cdot \exp((4\pi\epsilon/\lambda^2)^2)$$

# Coupling + losses net effect

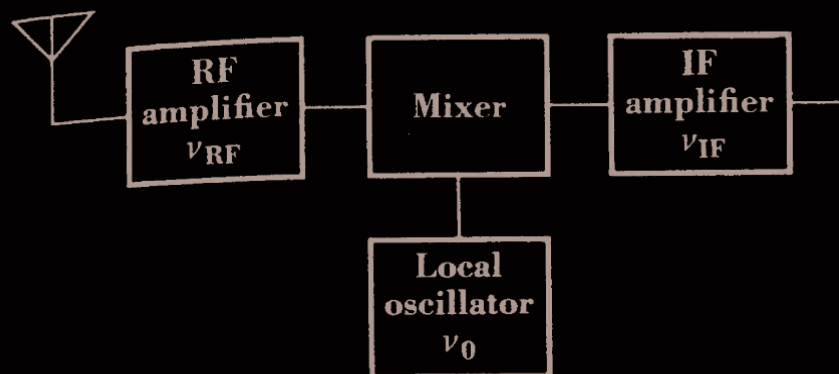
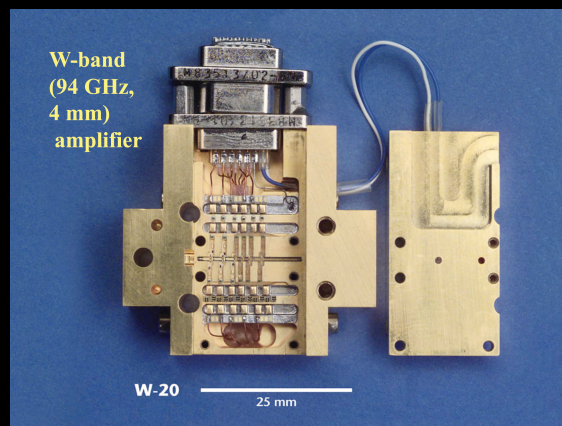
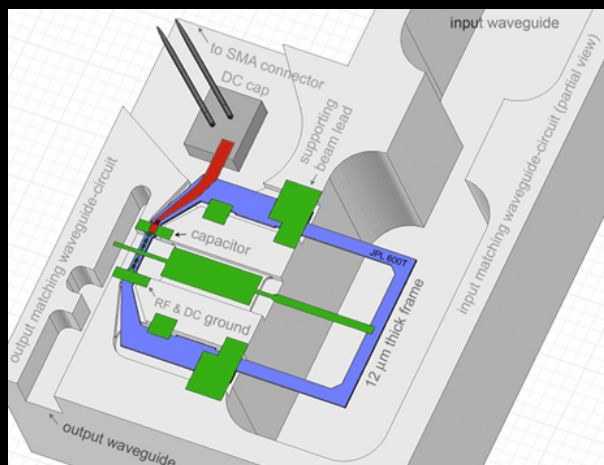




**Antenna:** Transition region between the free-space propagating wave and the guided wave

# What is a Radiotelescope?

...a watt meter (amplification to be achieved  $\sim 10^{10}$  (signals are extremely weak))



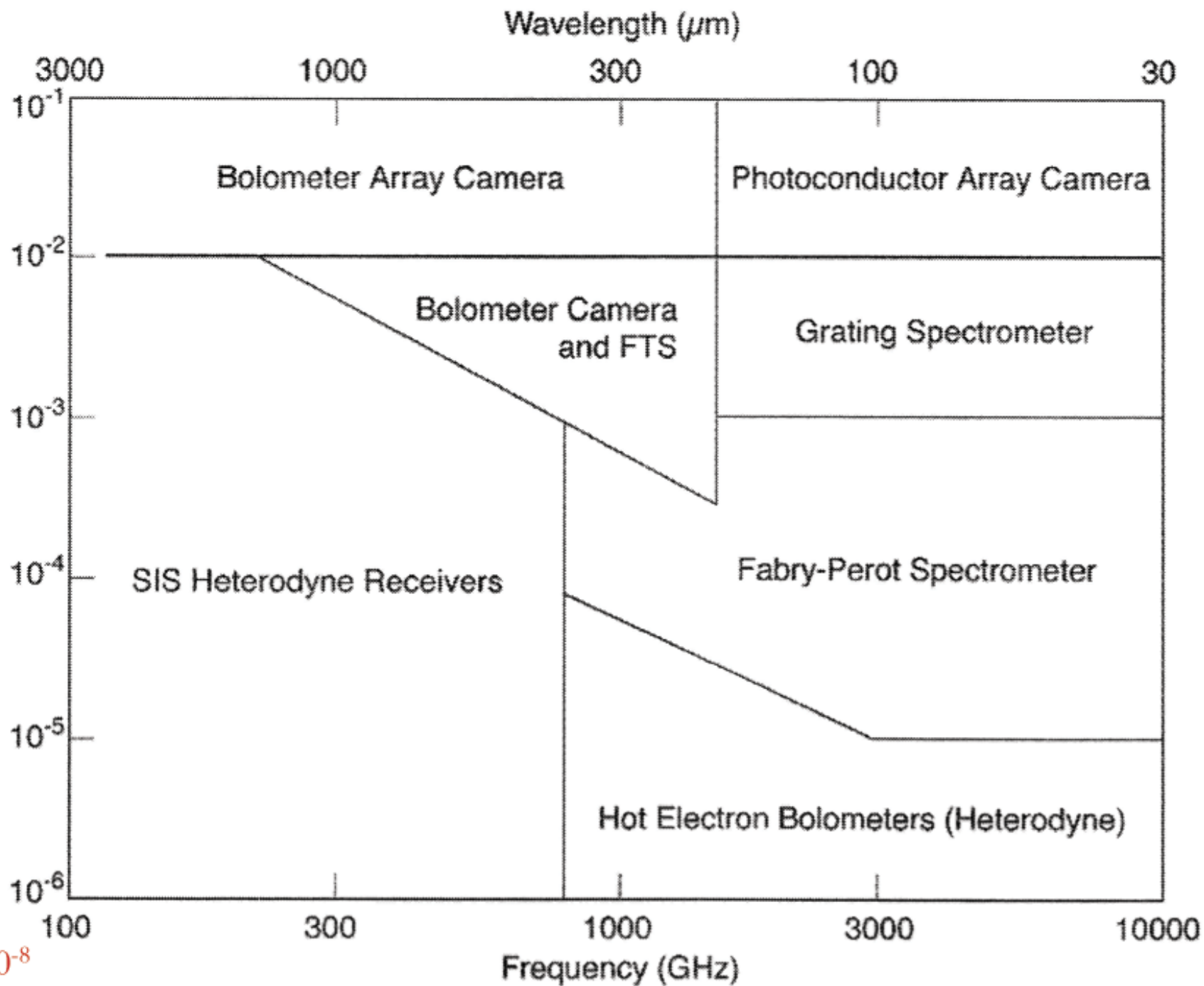
Backend

# The peculiar case of radioastronomy



High sensitivity (amplifications of the order of  $10^{10}$ ) and high spectral resolution ( $R \sim 10^{-7}$ ) required.

Fractional Resolution



# Receiver noise and detectability limit

The detection limit is given by the thermal power fluctuations of the system. That includes hardware elements like the receiver itself but also the atmospheric fluctuations. The resulting noise is of gaussian type.

$$\Delta T_{\text{rms}} = \frac{T_{\text{sys}}}{(\Delta \nu \cdot \tau)^{1/2}}$$

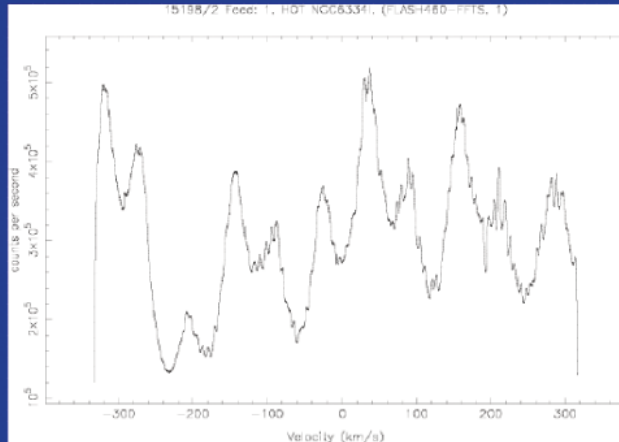
However the receiver suffers from gain fluctuations that are not gaussian. These fluctuations must be calibrated out by taken frequent reference scans on a referent load.



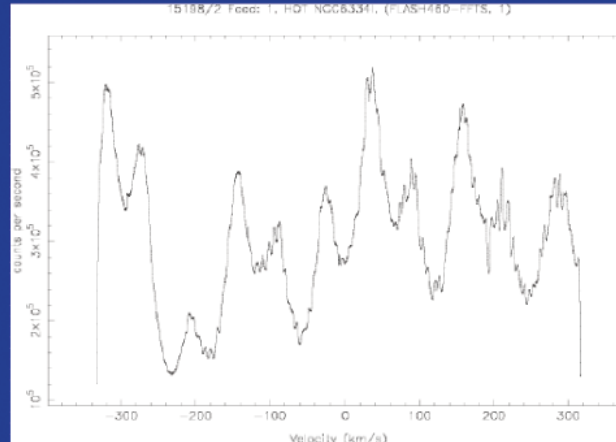
# PART IV: Real Observations

# Example of a calibration scan

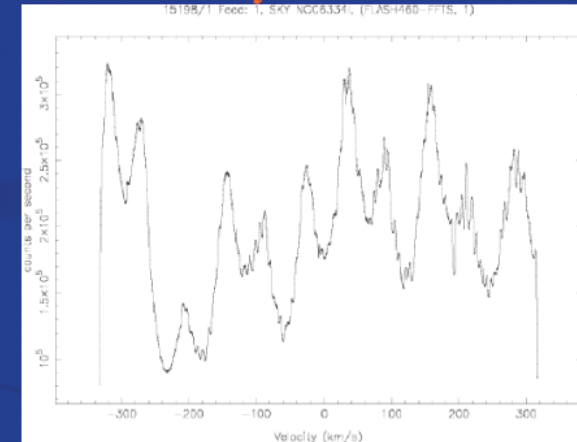
## Cold Load



## Hot Load

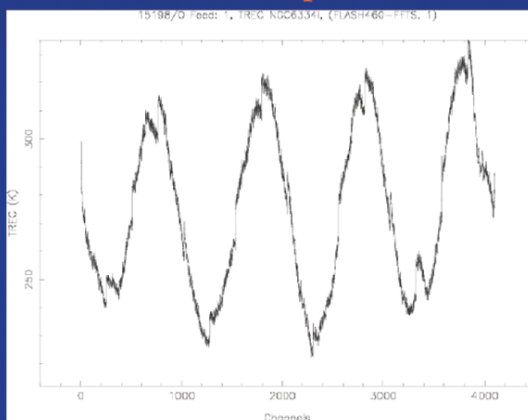


## Sky

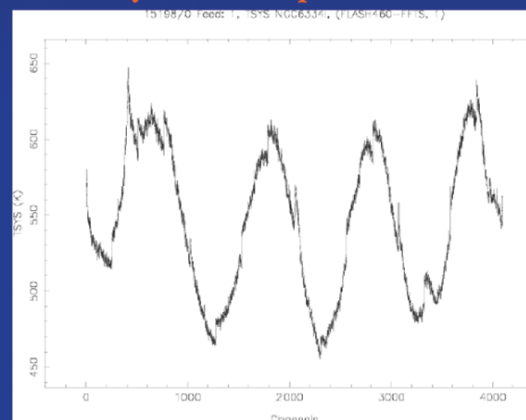


*Emission dominated by the Receiver Bandpass...*

## Receiver Temperature



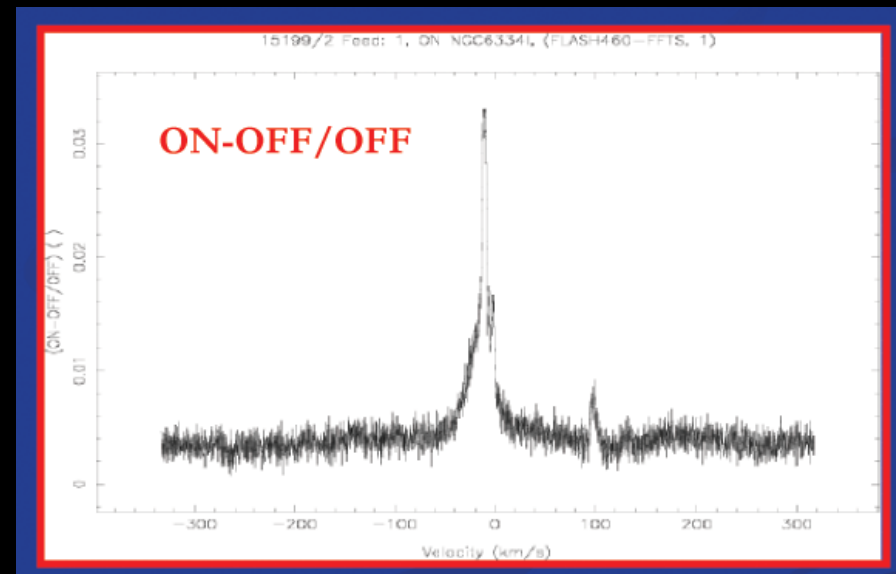
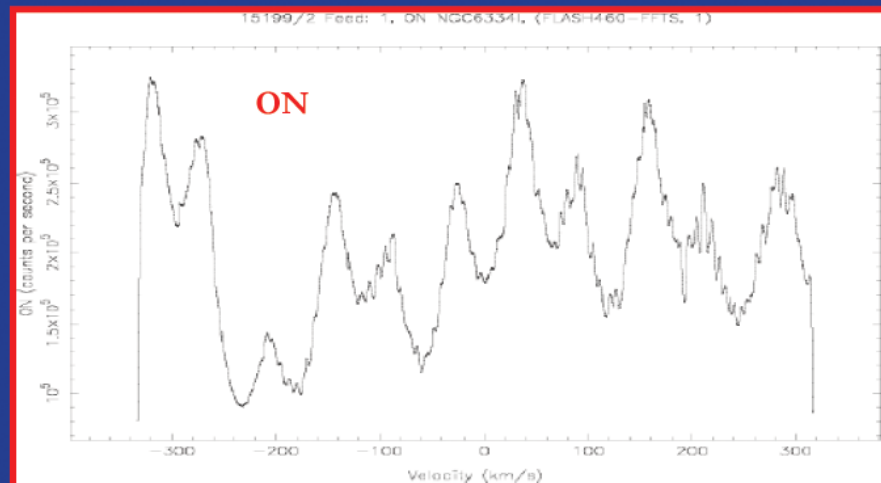
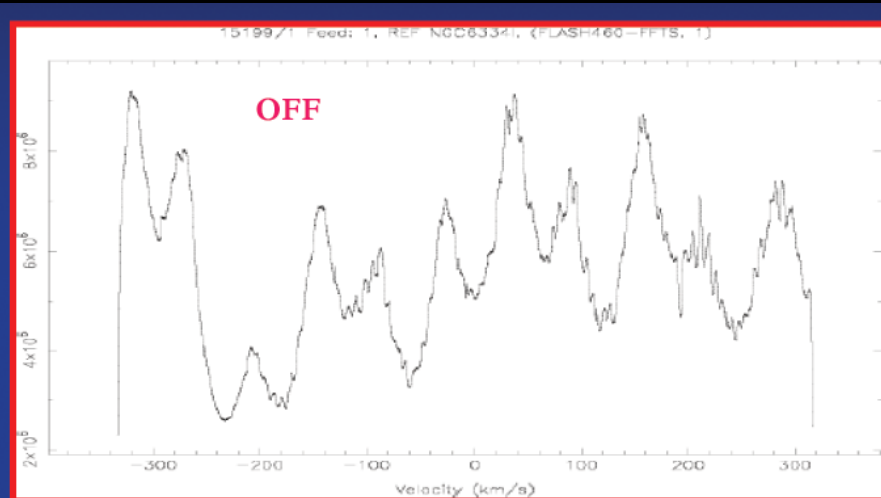
## System Temperature



...you get a temperature scale by which to scale the received power (output actually is a voltage). Now for an astronomical observation you have to cancel out the atmosphere...

Standing waves... + an atmospheric feature

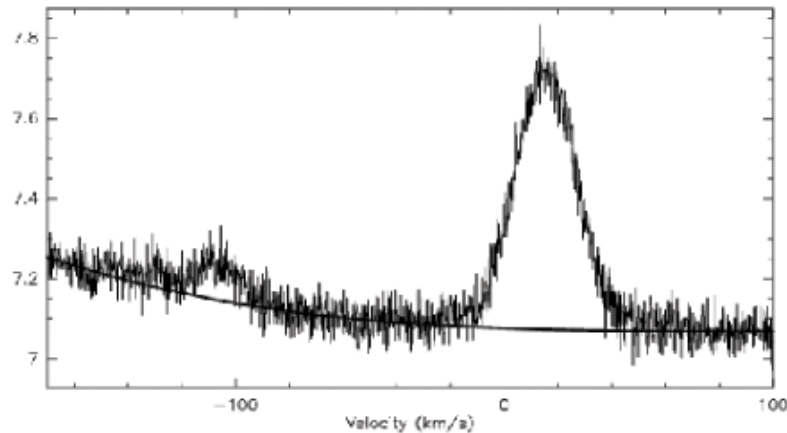
# Example 1: calibration of an astronomical line observed with a heterodyne receiver



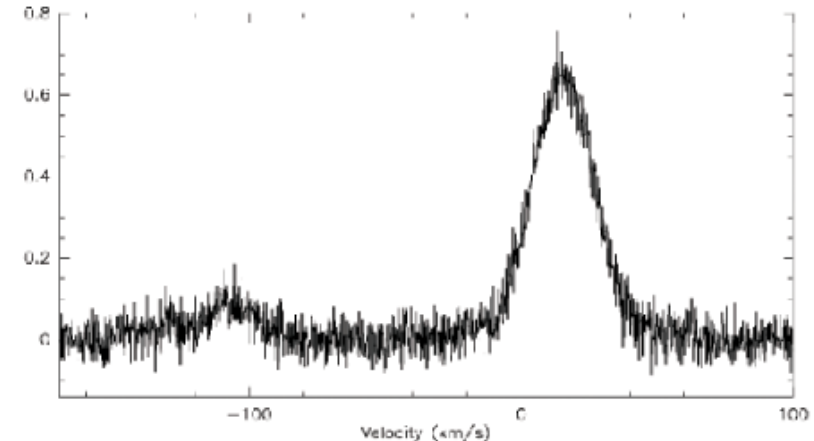
The scale remains to be calibrated using the CAL factor

# DATA ACQUISITION: POSITION SWITCHING

655; 2 M17-A H90ALPHA EF-AKN-2 O: 26-APR-1998 R: 20-MAY-1998  
 RA: 18:20:26.543 DEC: -16:13:53.00 (2000.0) Offs: 0.0 0.0 Eq  
 Unknown Tau: .0000E+00 Tsys: 28.38 Time: 11.78 E: 14.48  
 N: 4096 ID: 2048. VC: 20.00 Dv: .1650 LSR  
 FO: 8872.56900 Df: -4.8828E-03 Ff: 3172.93134  
 B ef: .0000E+00 F ef: .0000E+00 G lm: .0000E+00



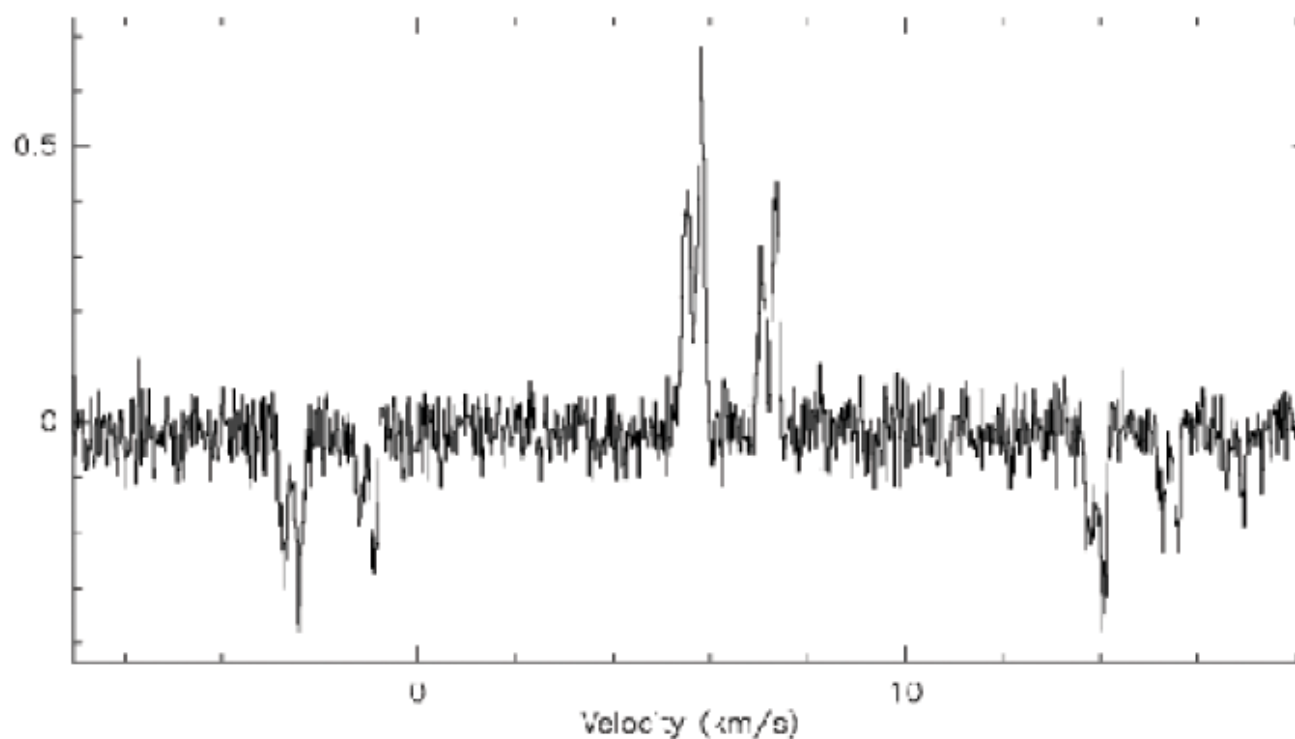
655; 2 M17-A H90ALPHA EF-AKN-2 O: 26-APR-1998 R: 20-MAY-1998  
 RA: 18:20:26.543 DEC: -16:13:53.00 (2000.0) Offs: 0.0 0.0 Eq  
 Unknown Tau: .0000E+00 Tsys: 28.38 Time: 11.78 E: 14.48  
 N: 4096 ID: 2048. VC: 20.00 Dv: .1650 LSR  
 FO: 8872.56900 Df: -4.8828E-03 Ff: 3172.93134  
 B ef: .0000E+00 F ef: .0000E+00 G lm: .0000E+00



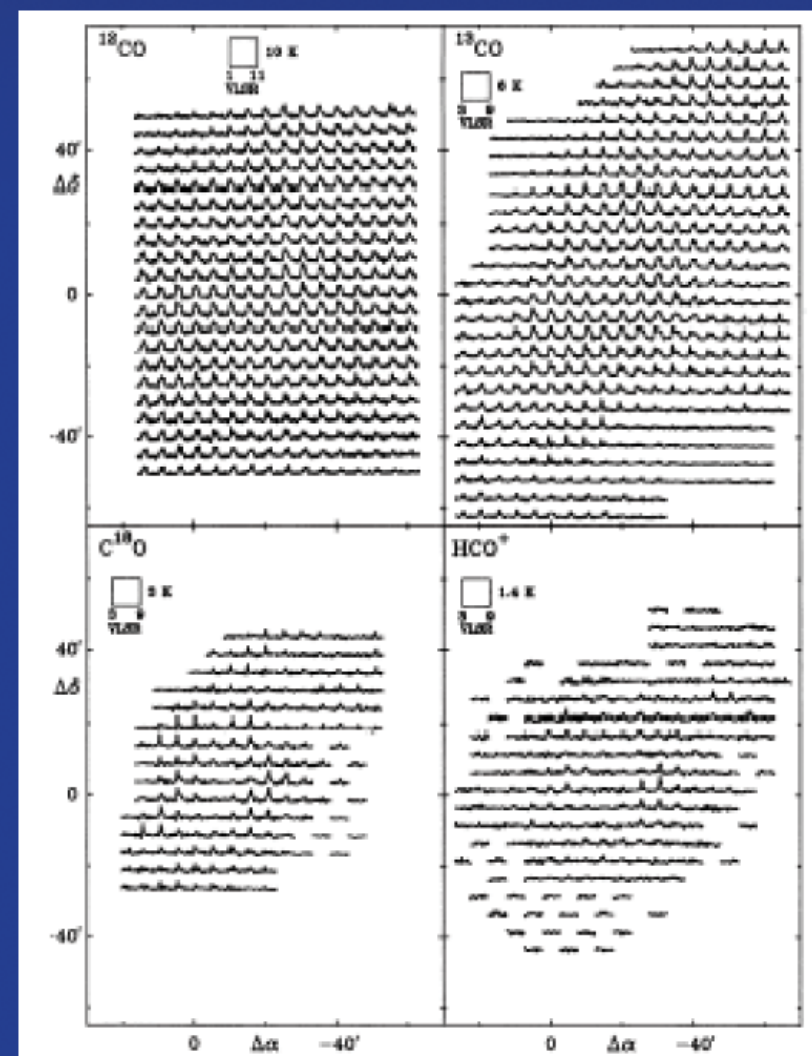
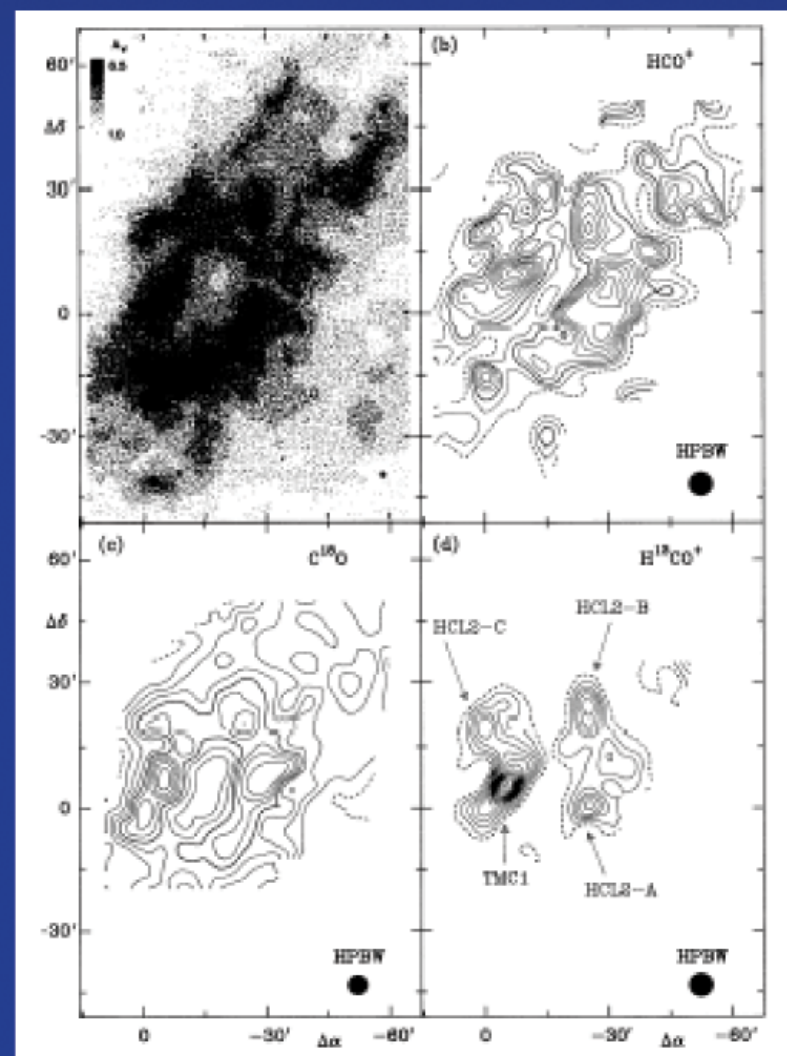


# DATA ACQUISITION: FREQUENCY SWITCHING

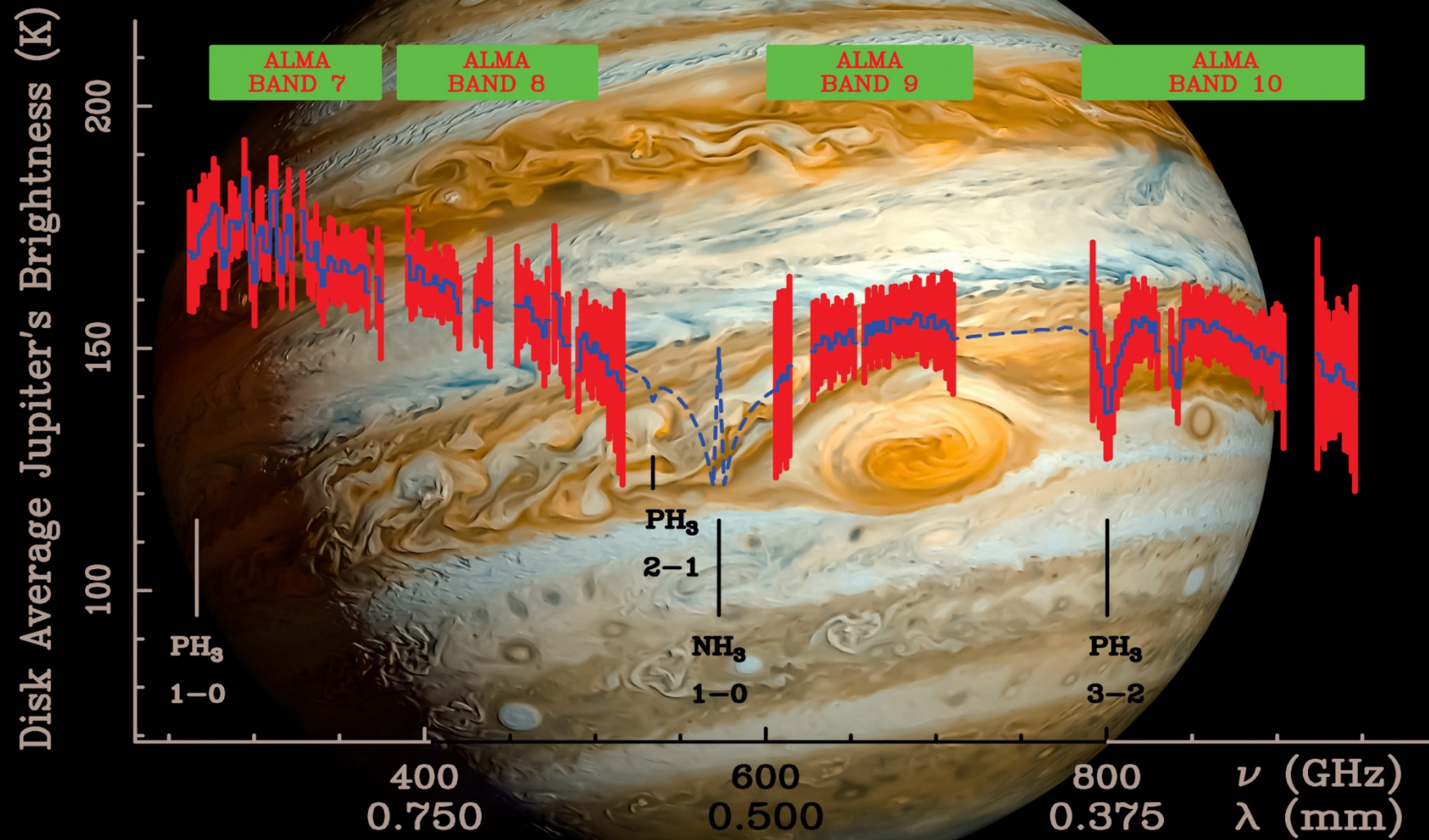
335: 1 L1544 F03N(2-1) EFF-AKV-1 C: 24-MAR-1998 R: 24-MAR-1998  
RA: 05:01:11.800 DEC: 25:07:00.00 (1950.0) Offs: 0.0 0.0 Eq  
Unknown Tau: .0000E+00 Tsys: 17.64 Time: 4.704 Q: 47.52  
N: 7782 ID: 4710 VC: 7.200 Dv: -2.011E-02 LSR  
F0: 18196.2180 Df: 1.2207E-03 Ff: 19896.4829  
B ef: .0000E+00 F ef: .0000E-00 G im: .0000E+00



# DATA ACQUISITION: MAPS



# PART V: Example of a real and tricky observation

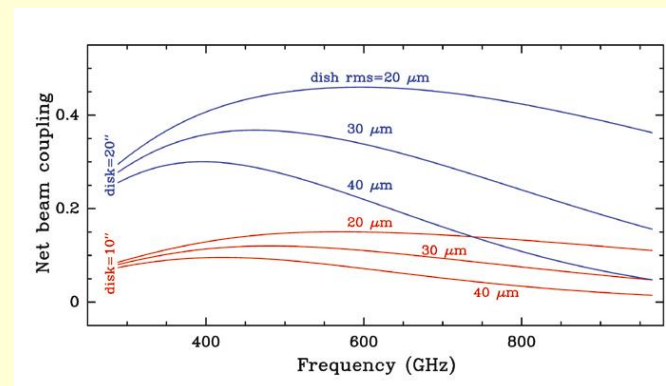
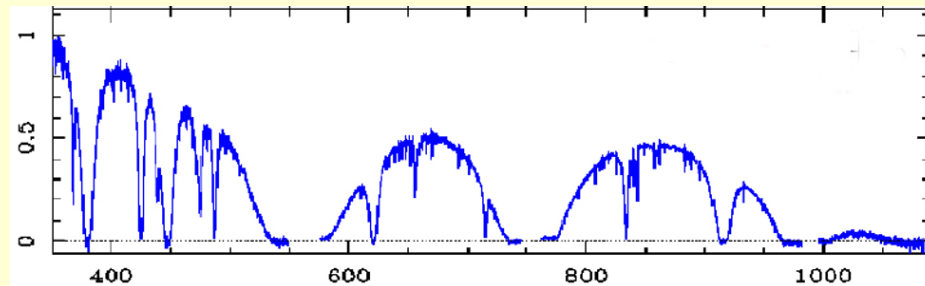


Pardo et al., Icarus 290, 150-155 (2017)

# Even more complex calibration: Broadband measurements of the spectrum of planets

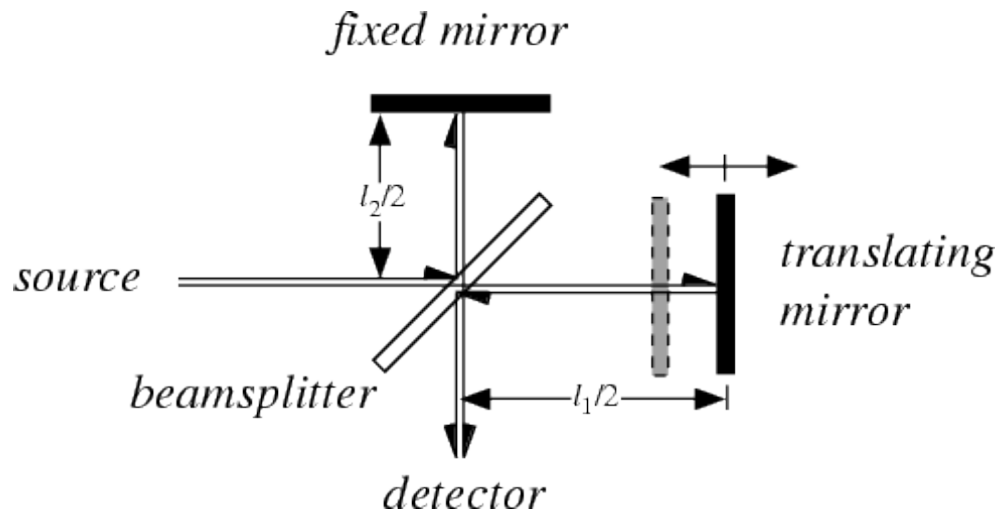
We have to deal with two problems:

- The atmosphere
- The coupling and efficiency terms.



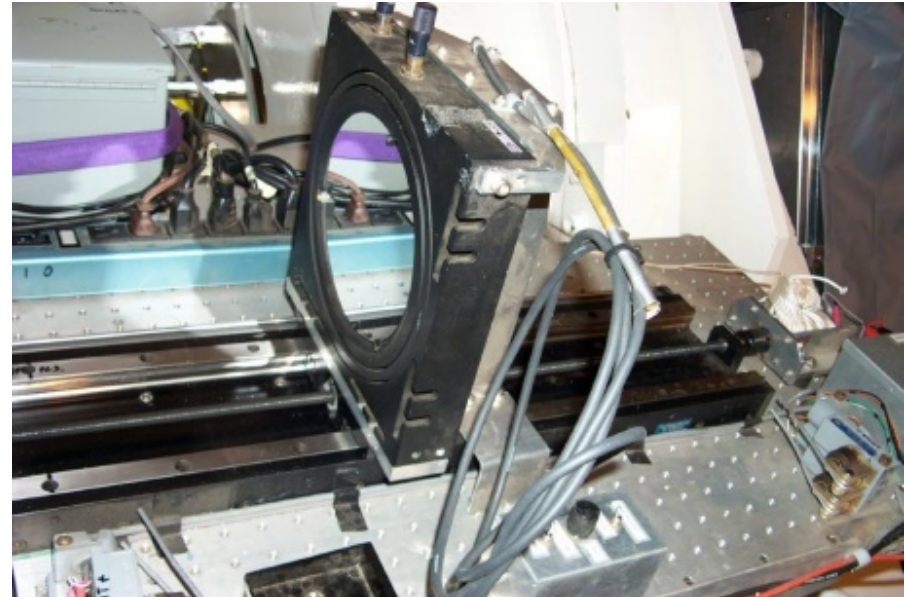
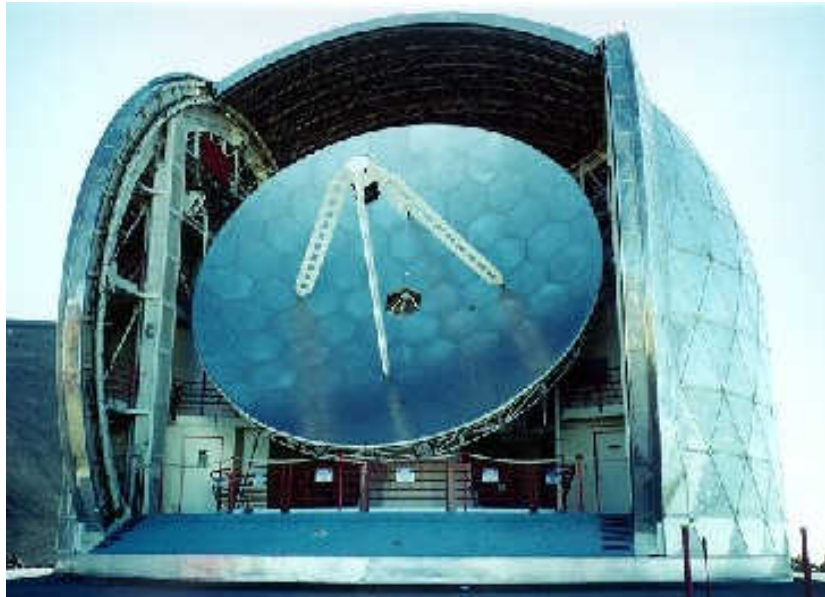


# FTS detector at the CSO on Mauna Kea



## Characteristics of CSO-FTS

- Mounted on Cassegrain focus of telescope for dedicated obs. runs.
- Detector:  $^3\text{He}$  cooled Bolometer
- Moving arm: 50 cm  $\sim$  200 MHz resolution
- Filters: 7 different (165 to 1600 GHz)





**Mauna Kea (4200 m, -5 °C), Hawai'i**



**Hapuna Beach (0 m, 25 °C, Hawai'i)**

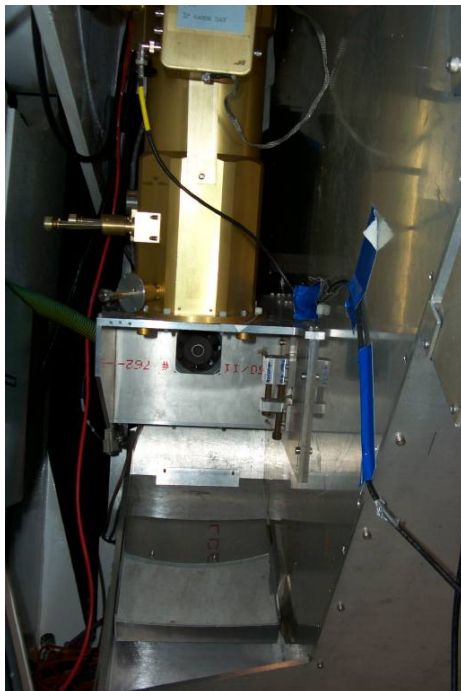
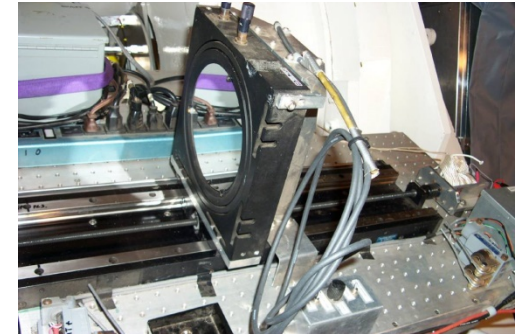




## The CSO-FTS experiment. Set-up.



- Detector:  $^3\text{He}$  cooled Bolometer
- Moving arm: 50 cm  $\rightarrow$   $\sim$  200 MHz resolution
- Filters: 7 different (165 to 1600 GHz)

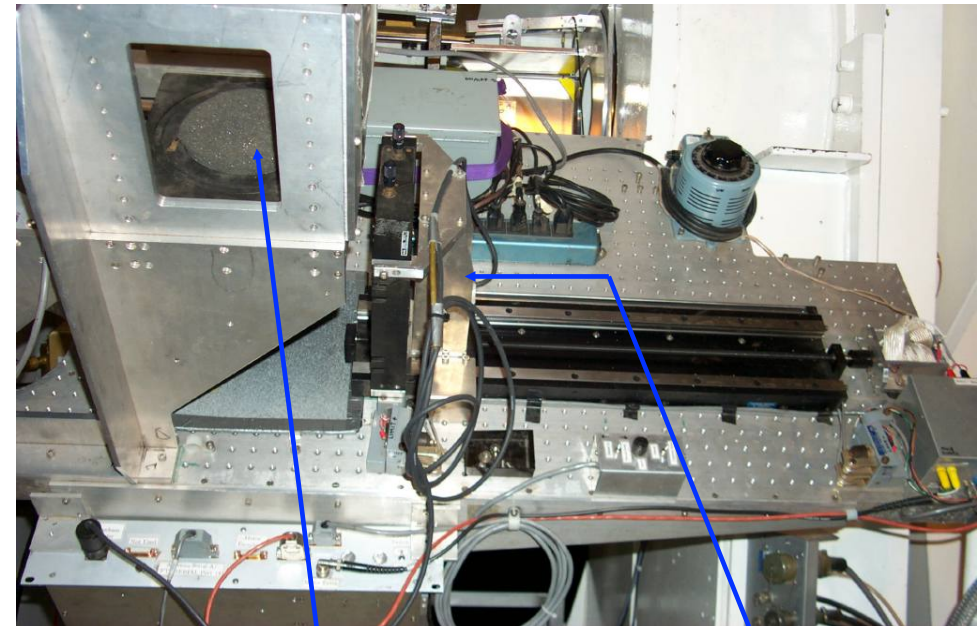


- **CO:** Double Fabry-Pérot with maximum transmission at CO frequencies.
- **550 GHz (low pass):** to explore low frequencies.
- **650 GHz:** To explore the 450  $\mu\text{m}$  window.
- **850 GHz:** To explore the 350  $\mu\text{m}$  window.
- **750 GHz:** To simultaneously explore both.
- **1.1 THz (low pass):** To explore 300-1100 GHz.
- **1.6 THz (low pass):** To explore 300-1600 GHz.

# Caltech Submillimeter Observatory - Fourier Transform Spectrometer (CSO-FTS)



Last mirror and bolometer (cooled to liq.  $^3\text{He}$ )



Fixed mirror (can rotate for holography)

Moving mirror

**Measurement:**  $m(\nu) = \frac{V_{sou} - V_{sky}}{V_{ground} - V_{sky}}$

**Where:**

- $V_{sou} = G(\nu) [\eta_{sou}(\nu)P_{sou}(\nu) + (1 - \eta_{sou}(\nu))P_{bgr}(\nu)] e^{-\tau_t(\nu)} + G(\nu) [\eta_{sky}(\nu)P_{sky}(\nu) + (1 - \eta_{sky})P_{hot}]$
- $V_{sky} = G(\nu) \{ \eta_{sky}(\nu) [P_{sky}(\nu) + P_{bgr}(\nu)e^{-\tau_t(\nu)}] + (1 - \eta_{sky})P_{hot} \}$
- $V_{ground} = G(\nu)\eta_{hot}(\nu)P_{hot}(\nu); \eta_{hot}=1.0.$

**P: Spectra emitted by the different sources,  $\eta$ : Couplings to these sources, G: Optical-electrical gain factor**

$$m(\nu) = \frac{[\eta_{sou}(\nu)P_{sou}(\nu) + (1 - \eta_{sou}(\nu) - \eta_{sky}(\nu))P_{bgr}(\nu)] e^{-\tau_t(\nu)}}{\eta_{sky} [P_{hot}(\nu) - P_{sky}(\nu) + P_{bgr}(\nu)e^{-\tau_t(\nu)}]}$$

We want to extract:

$$T_{\text{EBB},\text{sou}}(\nu)$$



...after rearranging the equation

$$m(\nu) = \frac{\eta_{sou}(\nu)}{\eta_{sky}(\nu)} \frac{\frac{e^{-\tau_t}}{\exp(h\nu/KT_{EBB,sou})-1}}{\frac{1}{\exp(h\nu/KT_{hot})-1} - \frac{1-e^{-\tau_t}}{\exp(h\nu/KT_e)-1}}$$

## Two possibilities:

- $T_e(\tau_t, \nu) = T_{hot}$  (standard CSO  $T_A^*$  calibration)

$$T_{RJ,A}^* = m(\nu) T_{hot} (\eta_{sou}/\eta_{sky}) T_{RJ,sou}$$

$$T_{PL,A}^* = m(\nu) (h\nu/k) [\exp(h\nu/kT_{hot}) - 1]^{-1} =$$

$$(\eta_{sou}/\eta_{sky}) (h\nu/k) [\exp(h\nu/kT_{hot}) - 1]^{-1}$$

- $T_e(\tau_t, \nu) = T_{hot} - LHf(\tau_t)$

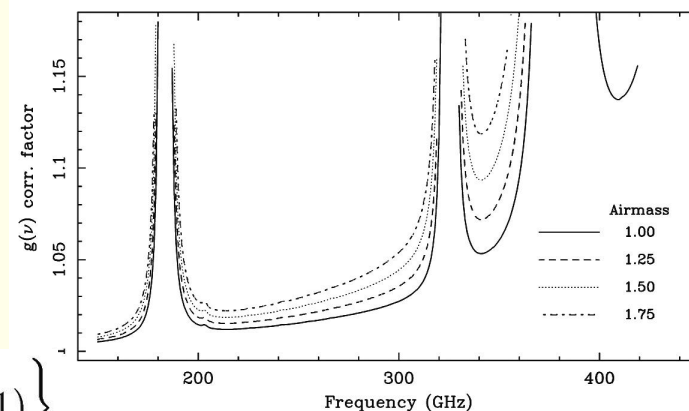
Mauna Kea

**L:** Tropospheric lapse rate      5.6 K(km)

**H:** Water vapor scale height      2.0 km

$$g(\tau_t, \nu) = \left\{ 1 + \frac{LHf(\tau_t)}{T_{hot}} \left( \frac{h\nu/KT_{hot}}{1 - \exp(-h\nu/KT_{hot})} \right) (e^{\tau_t} - 1) \right\}$$

$g(\tau_t, \nu)$



$$T_{PL,A}^{**} = T_{PL,A}^* g(\nu) = (\eta_{sou}/\eta_{sky}) (h\nu/k) [\exp(h\nu/kT_{hot}) - 1]^{-1}$$

# PRIMARY CALIBRATION OBJECT: THE MOON

- Coupling and losses are not an issue on the Moon.

## Requirement:

- Full Moon.

## Problem:

- Standard calibration scheme not accurate for high  $\tau$  due to vertical temperature gradient.

## We need:

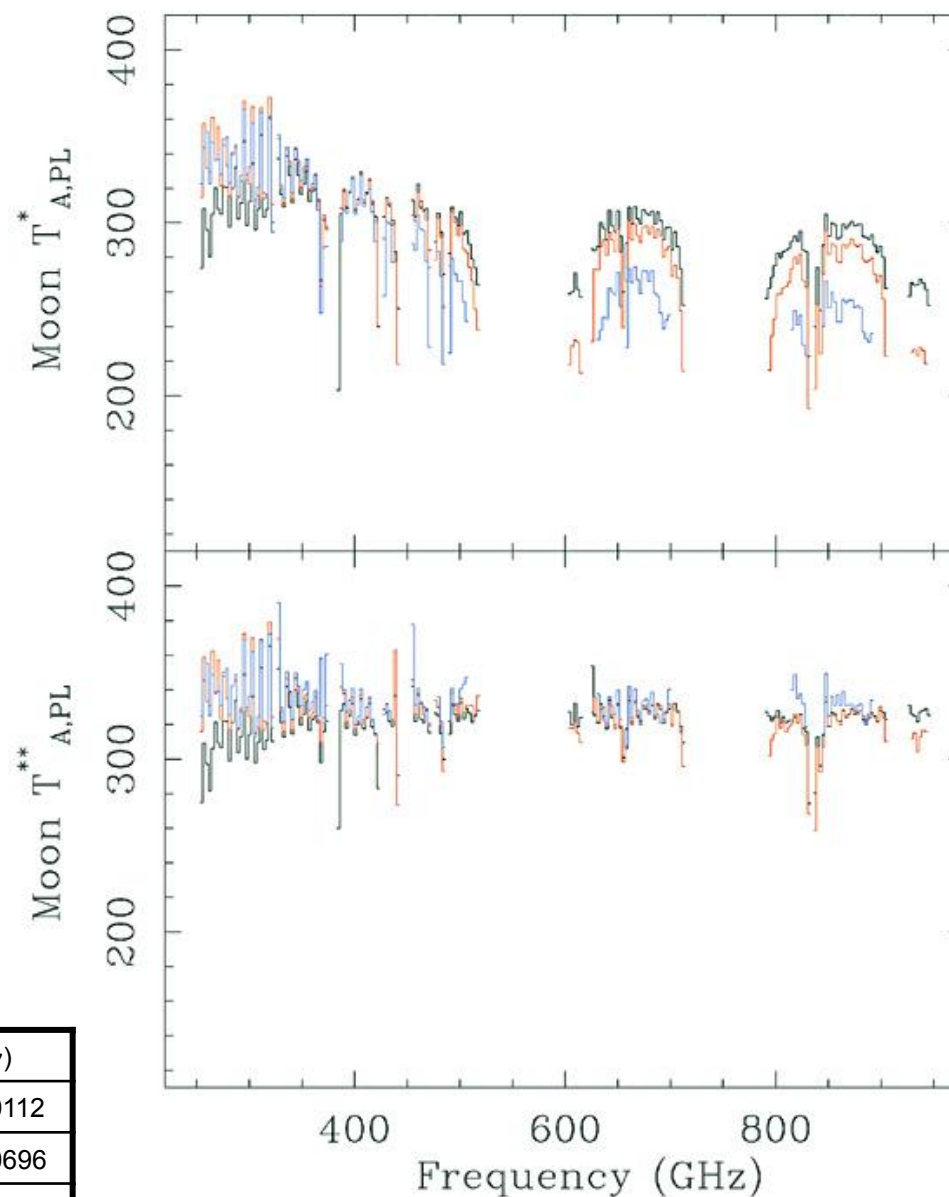
- $\tau$ -dependent correction scheme (it can be derived)

Elv=45°

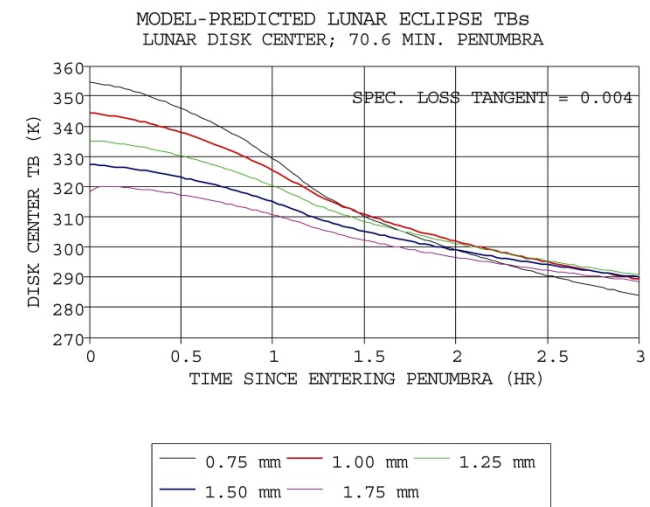
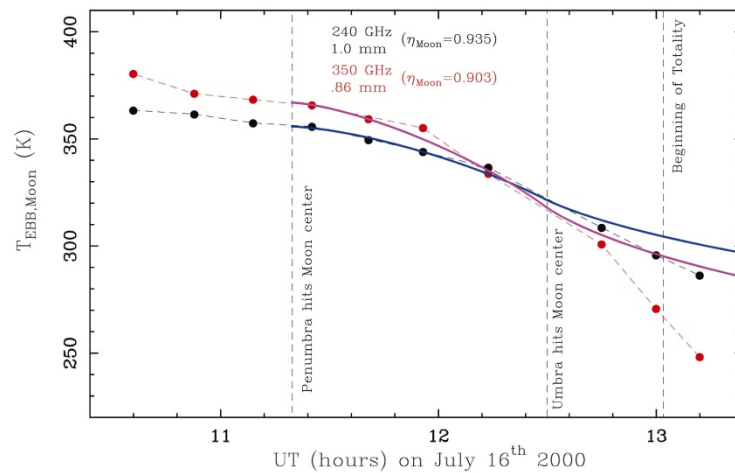
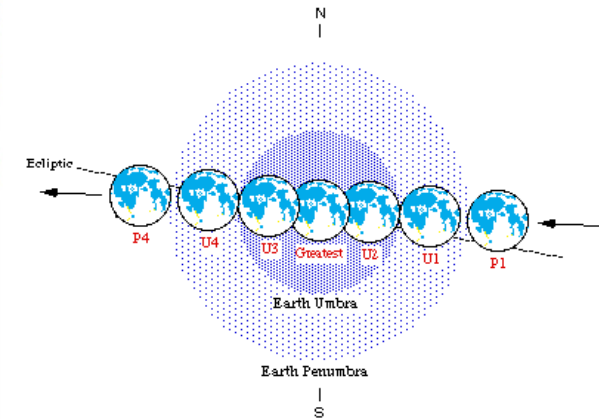
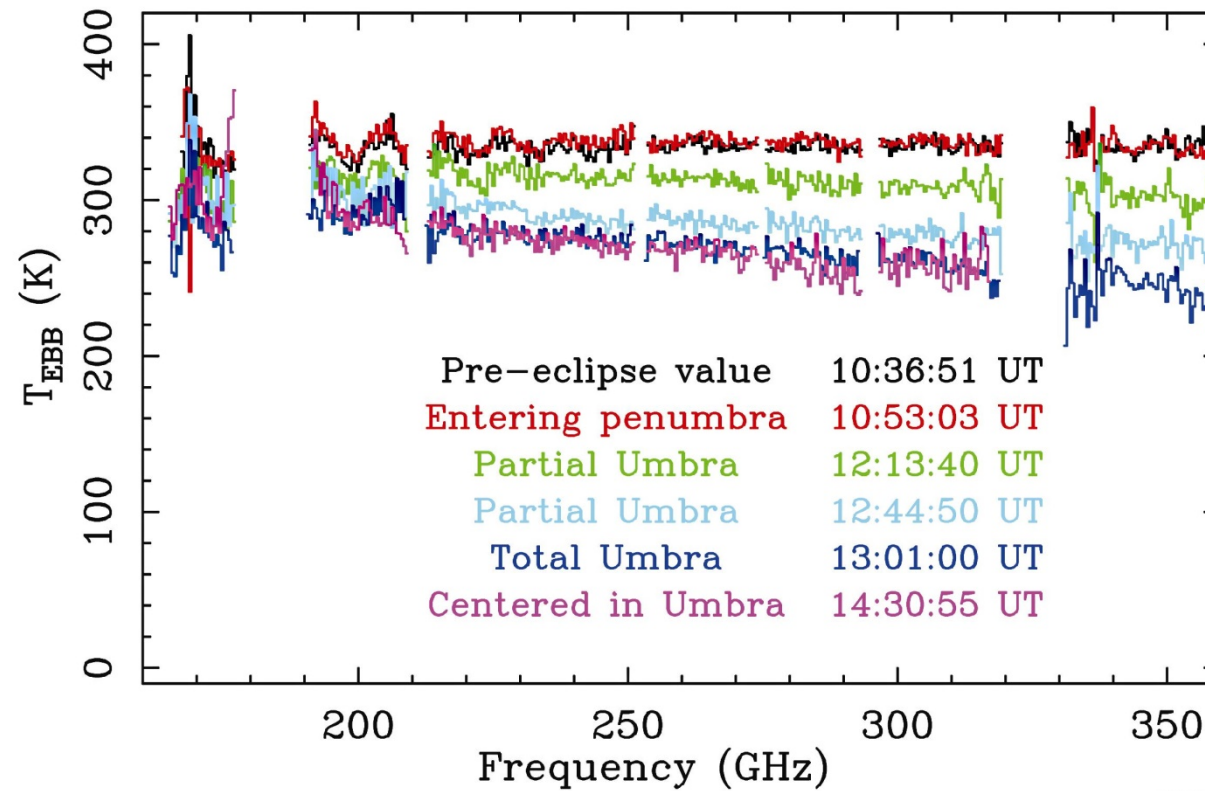
0.5 mm H<sub>2</sub>O

1.0 mm H<sub>2</sub>O

$\nu$ (GHz)	$\tau_{\text{atm}}$	$f(\tau)$	$g(\nu)$	$\tau_{\text{atm}}$	$f(\tau)$	$g(\nu)$
345	0.1396	0.9653	1.0061	0.2492	0.9385	1.0112
460	0.6300	0.8485	1.0318	1.1741	0.7295	1.0696
650	0.8760	0.7932	1.0483	1.6486	0.6381	1.1163
850	1.0065	0.7649	1.0586	1.8223	0.6069	1.1390

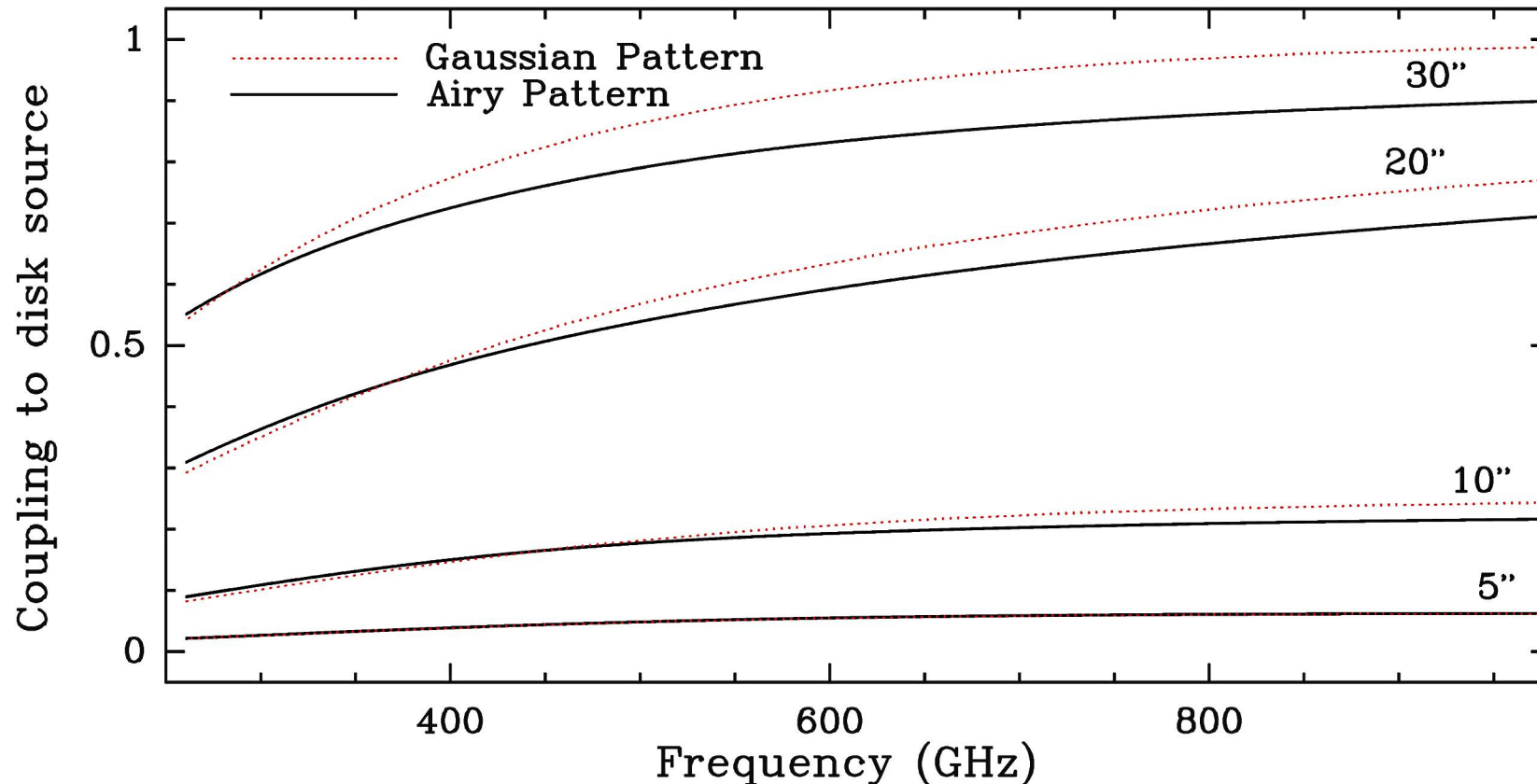


# Total Lunar Eclipse Jul/16/2000



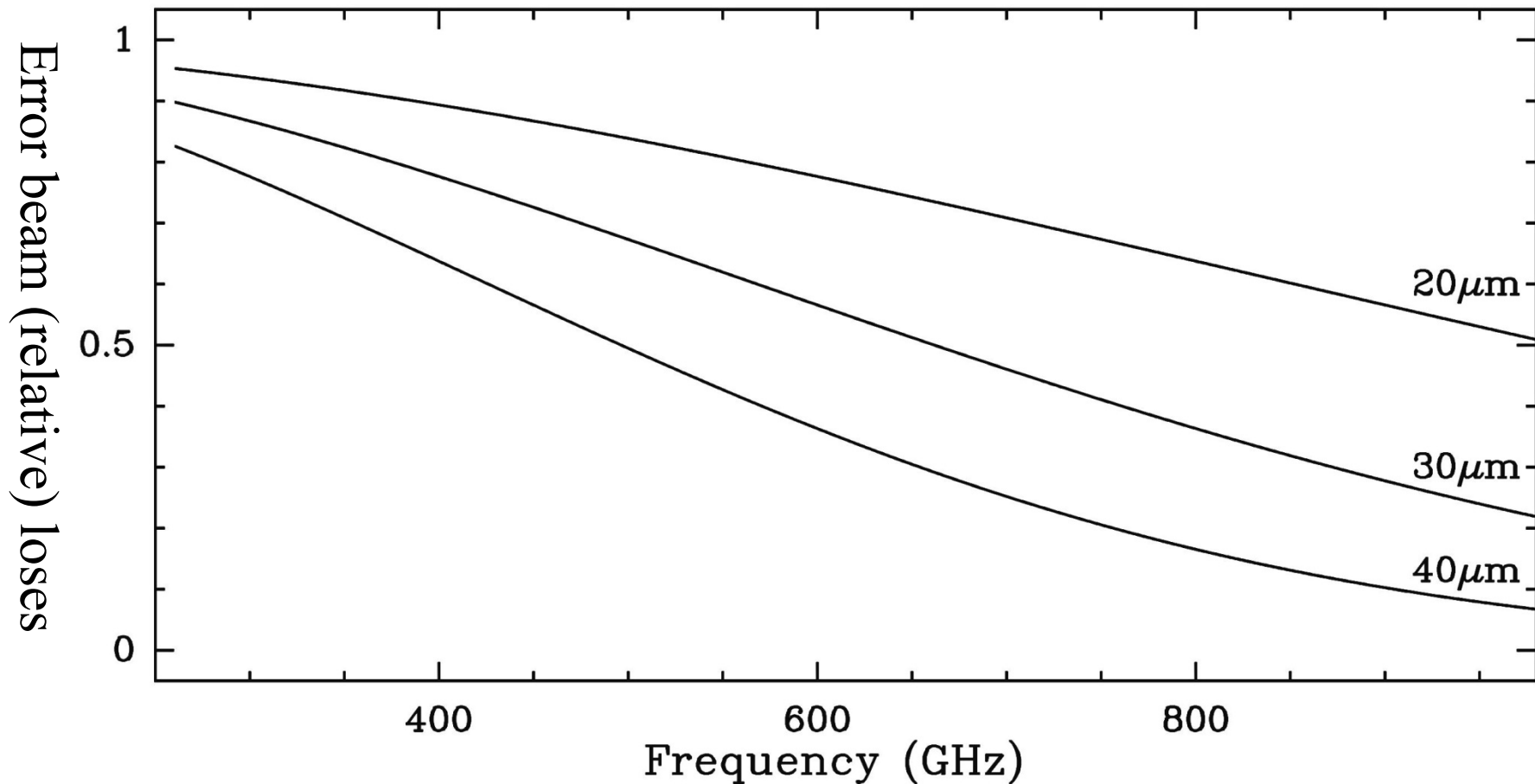
# Coupling models to a disk source

Since we deal with a frequency range of  $\sim 700$  GHz, the antenna HPBW changes from about 30" to 8".



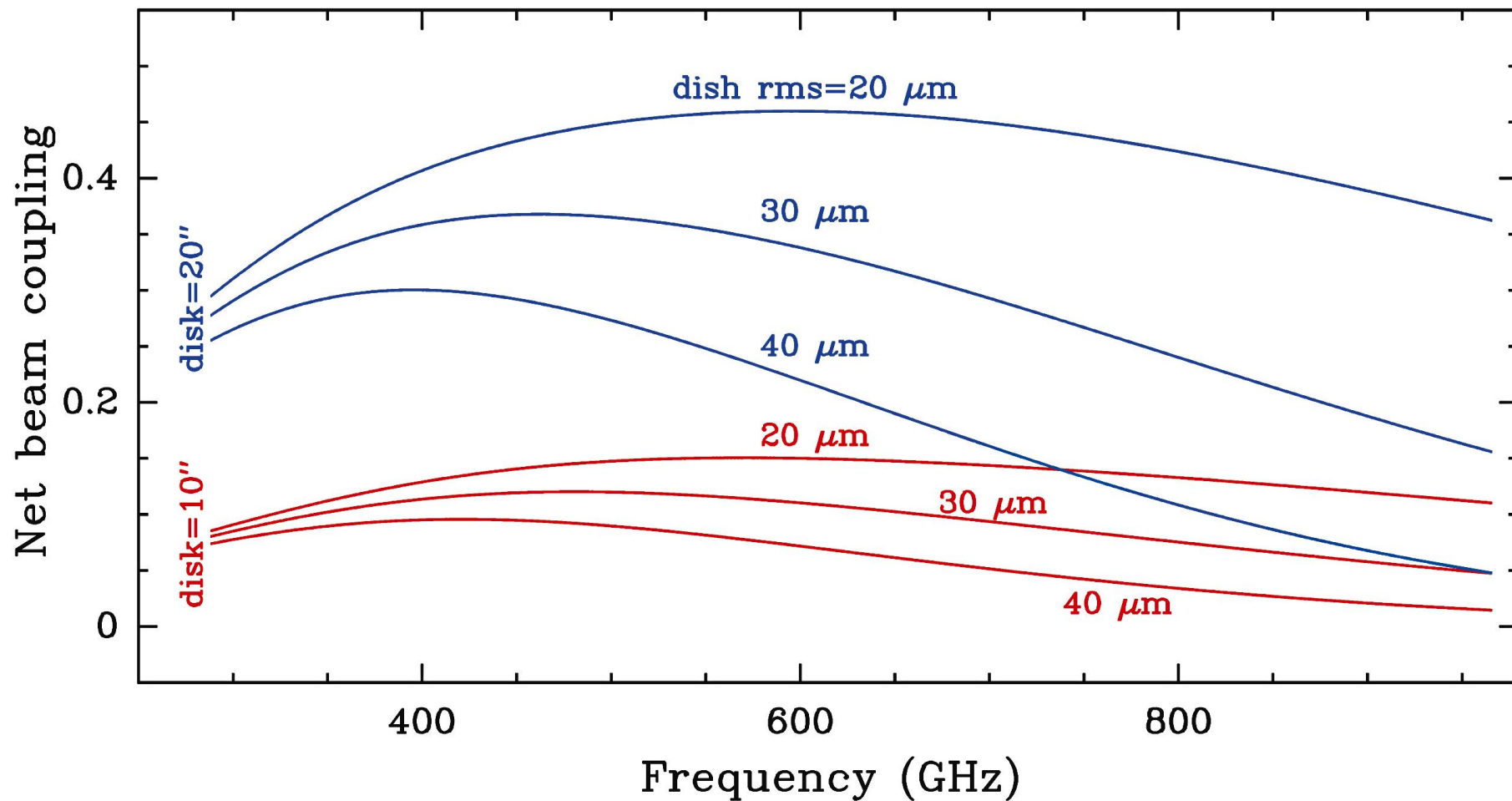
# Losses due to the error beam

The error beam, related to the dish rms is responsible for an efficiency drop as  $\nu$  increases.

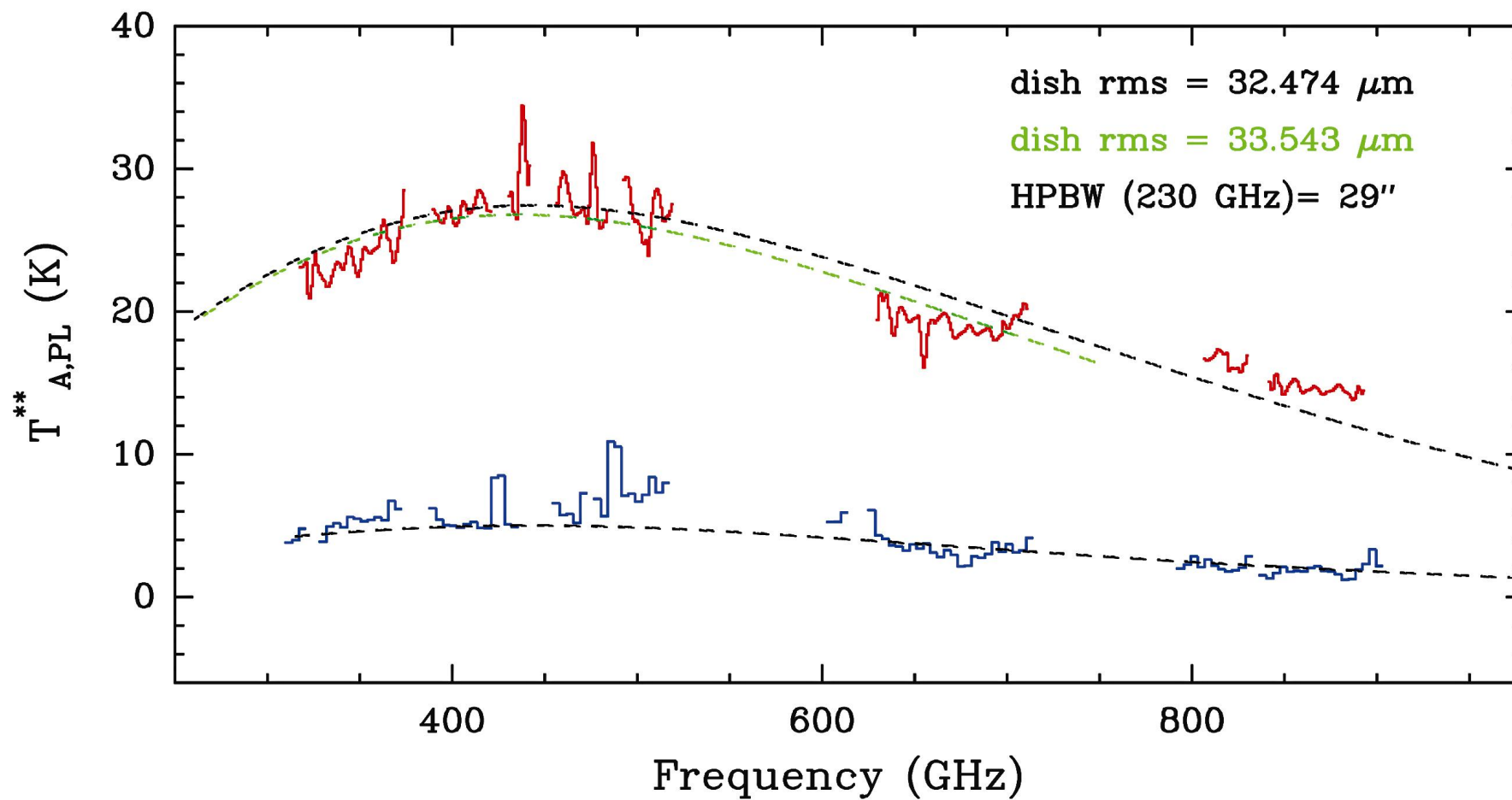
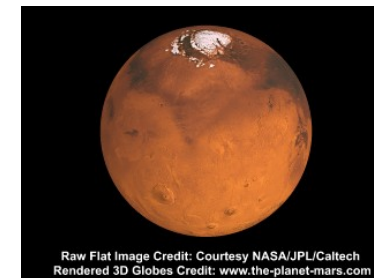




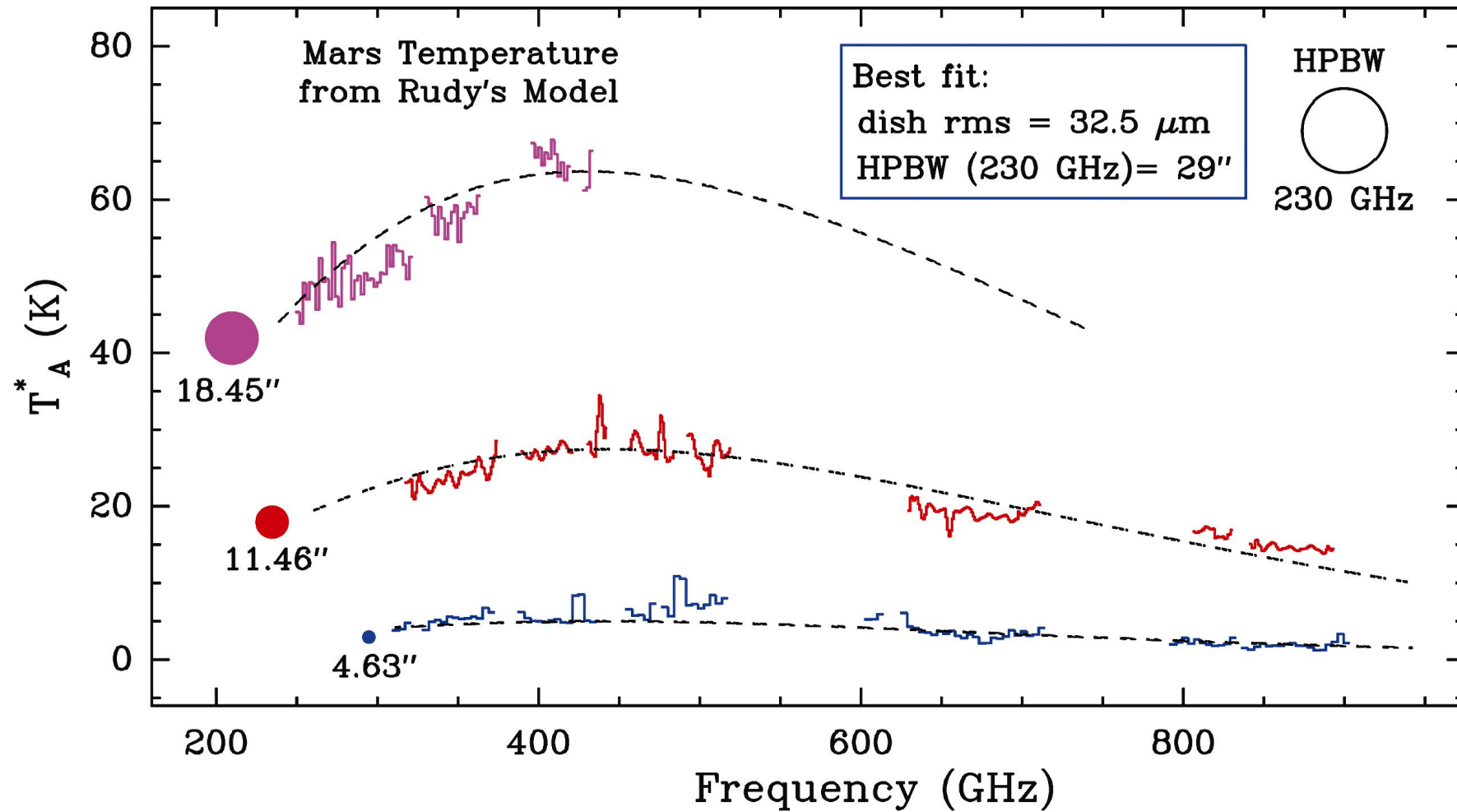
# Coupling + losses net effect



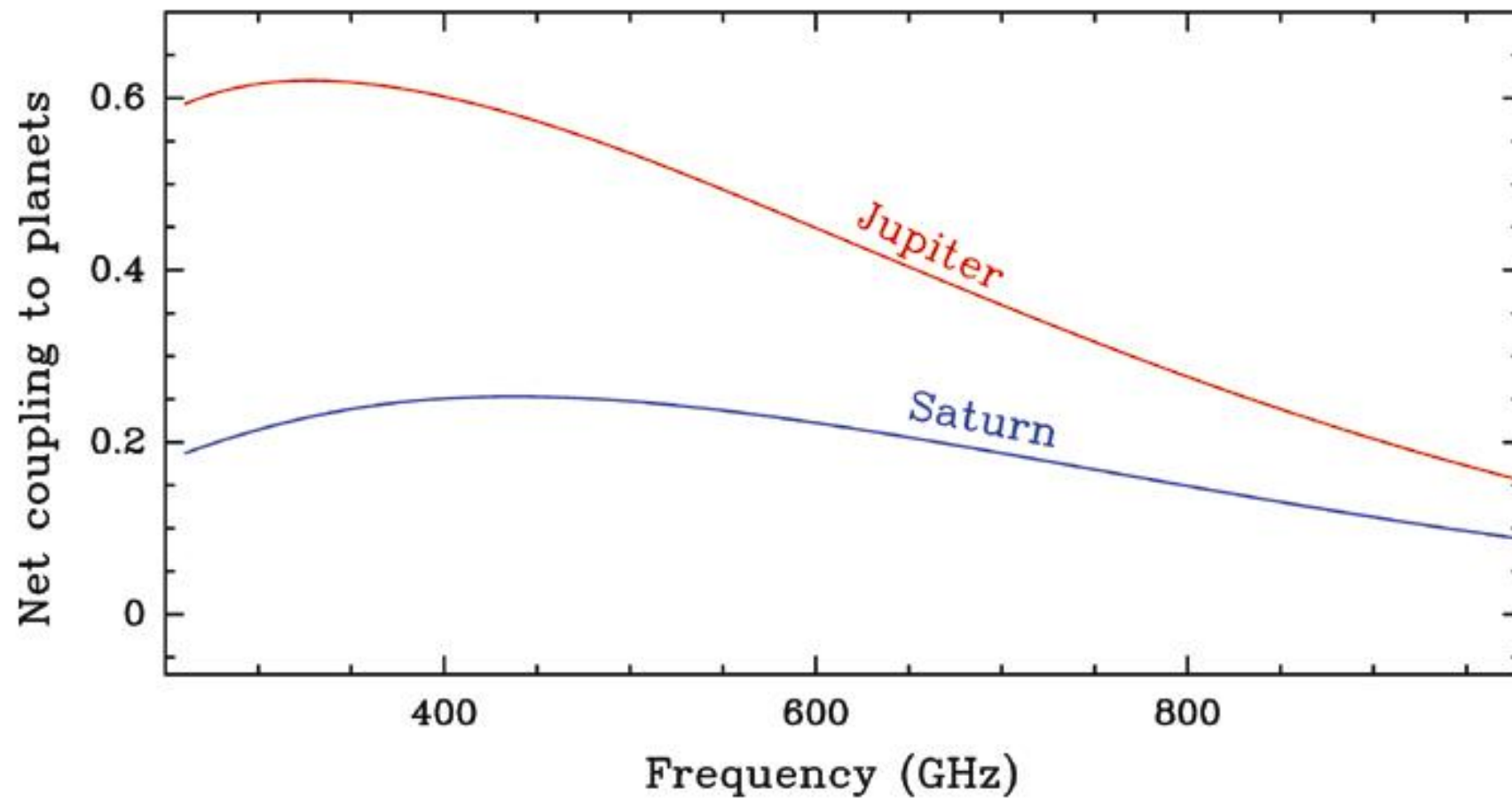
# Effect checked on Mars

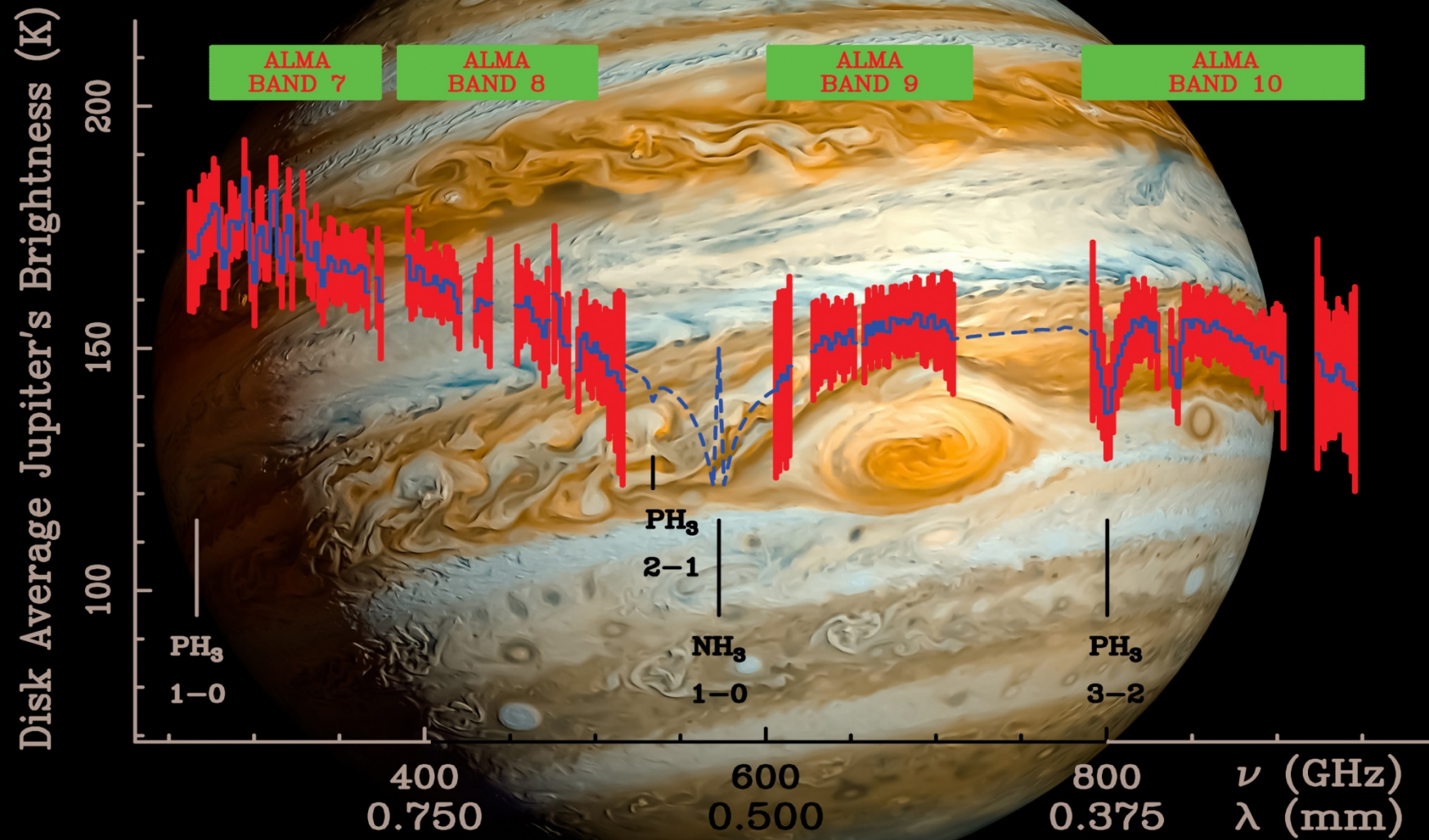


# FTS: Main Beam Coupling and Error Pattern Parameters



# Predictions for Jupiter and Saturn on March 01





Pardo et al., Icarus 290, 150-155 (2017)



COSPAR Workshop, Quito  
Mar/6, 2018

*Juan Ramón Pardo Carrión*

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*Consejo Superior de Investigaciones Científicas - Spain*

## Introduction to single-dish observations

- History of radioastronomy
- Radio/mm/submm/FIR sources
- Antennas, Receivers & Backends
- Examples of Real observations

